

Semantic-Based Modelling of Embedded Adaptive Systems

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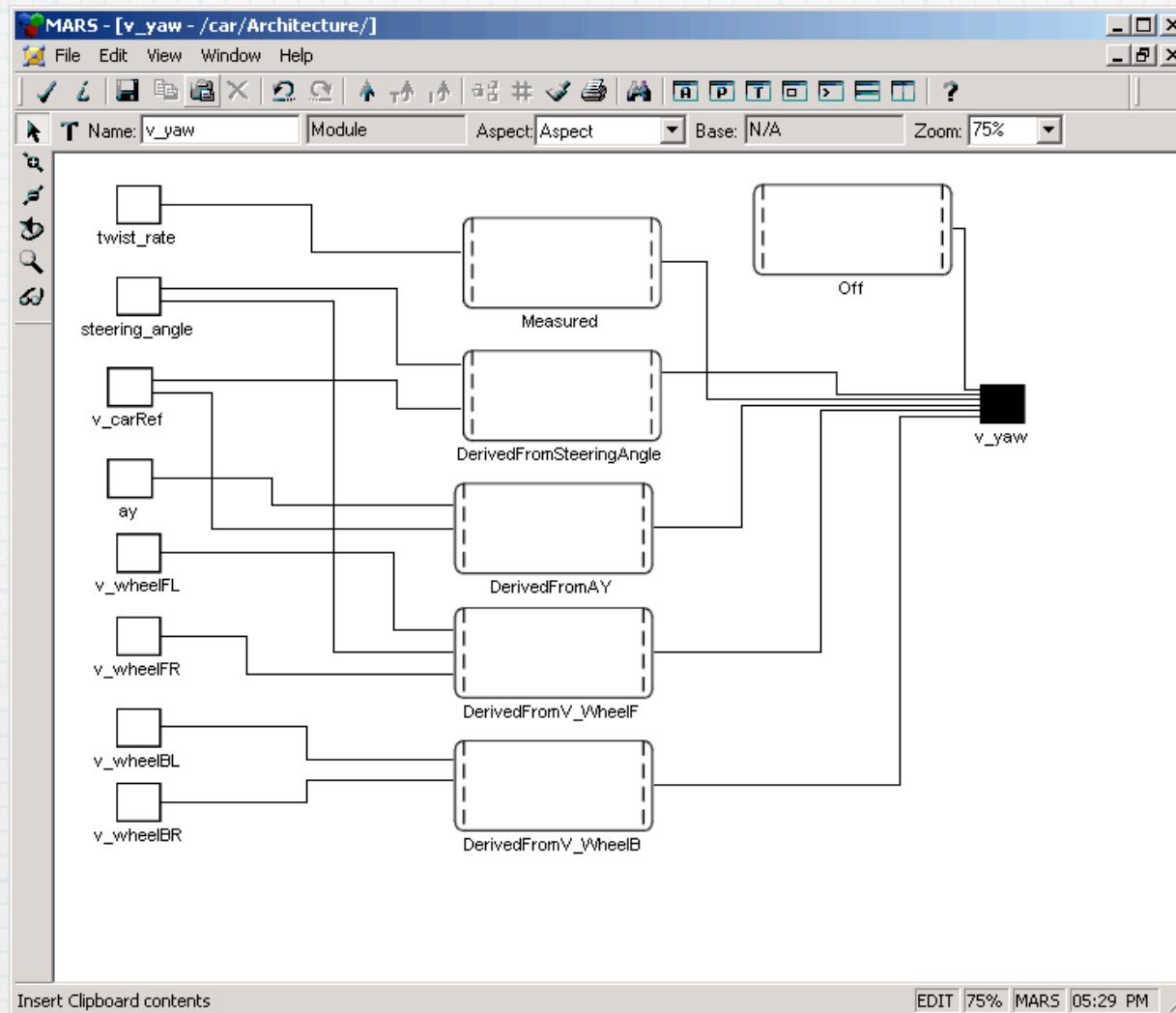
(joint work with Arnd Poetzsch-Heffter)

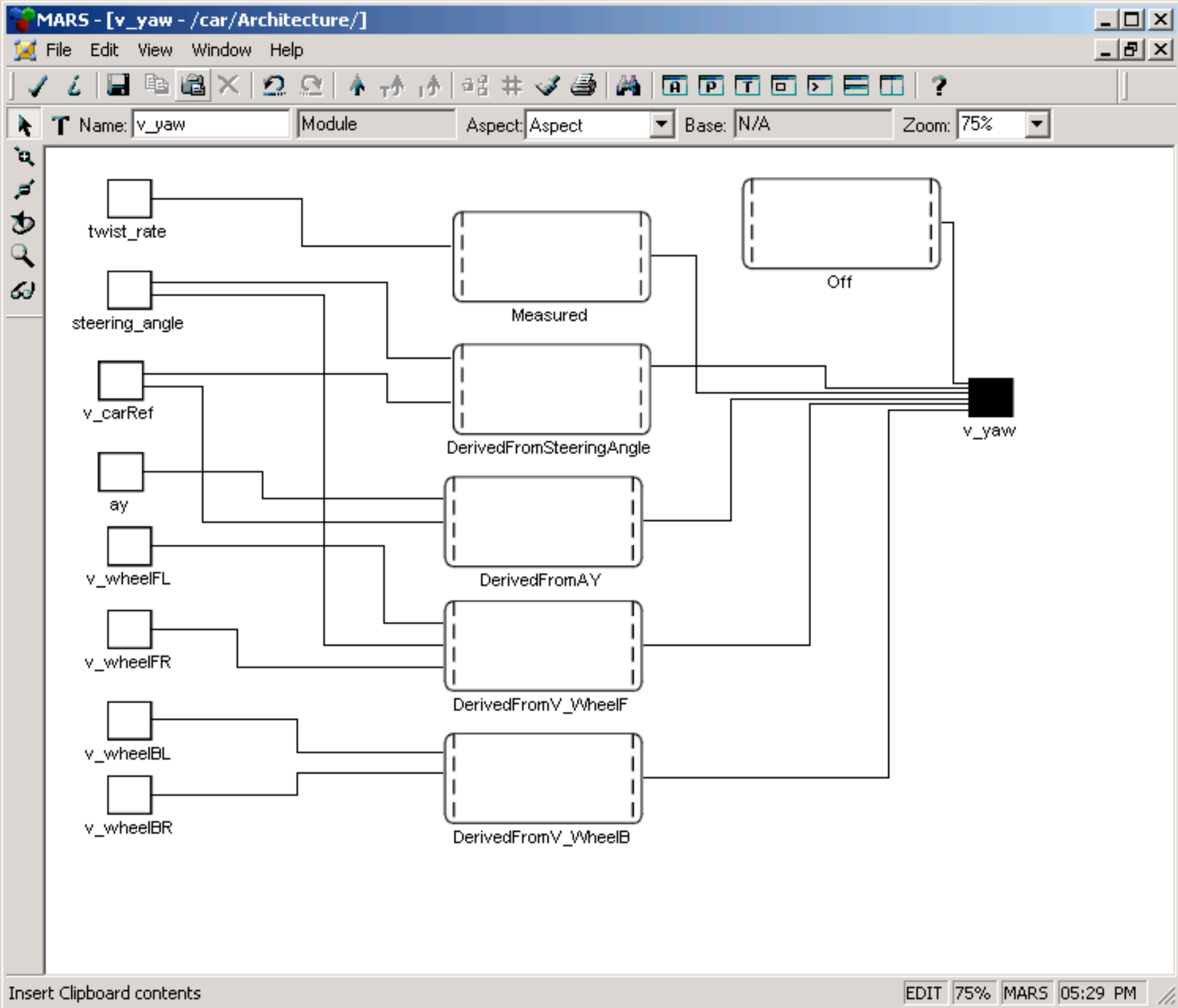
Embedded Adaptive Systems

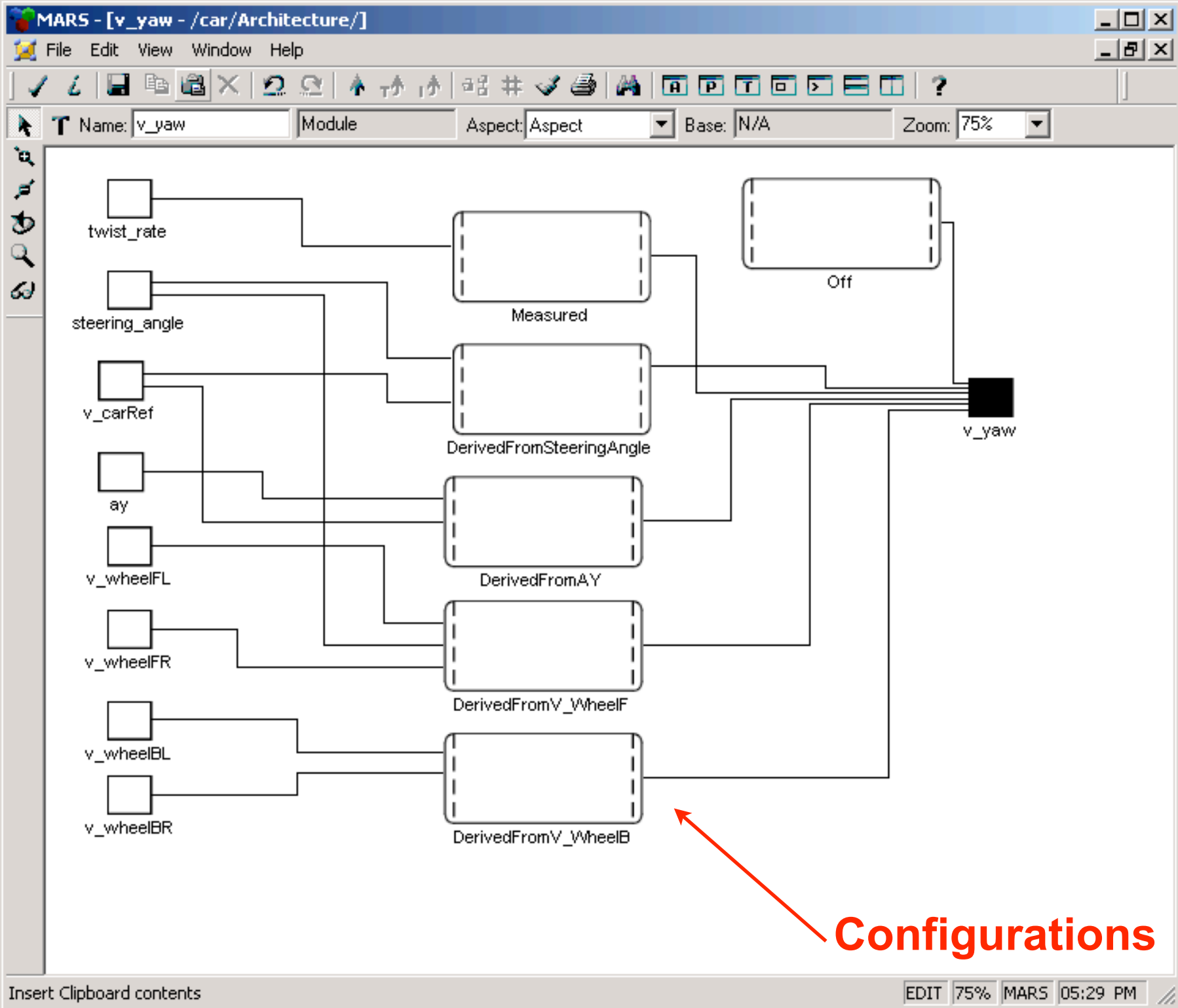


- * Adaptation of behaviour according to environment
- * Hence, system development is highly complex
- * Support for system modelling and verification required

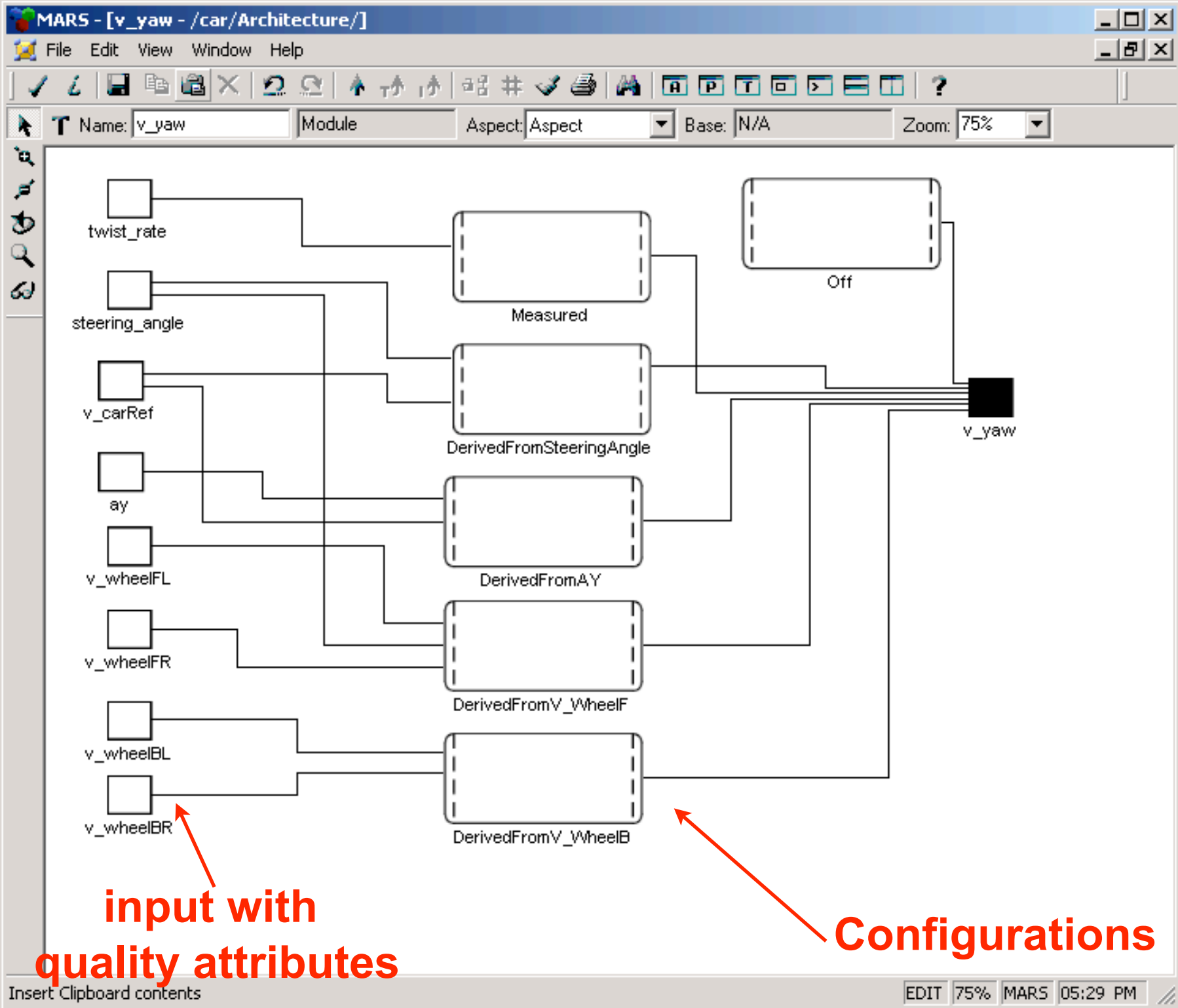
GME Model of CoCar

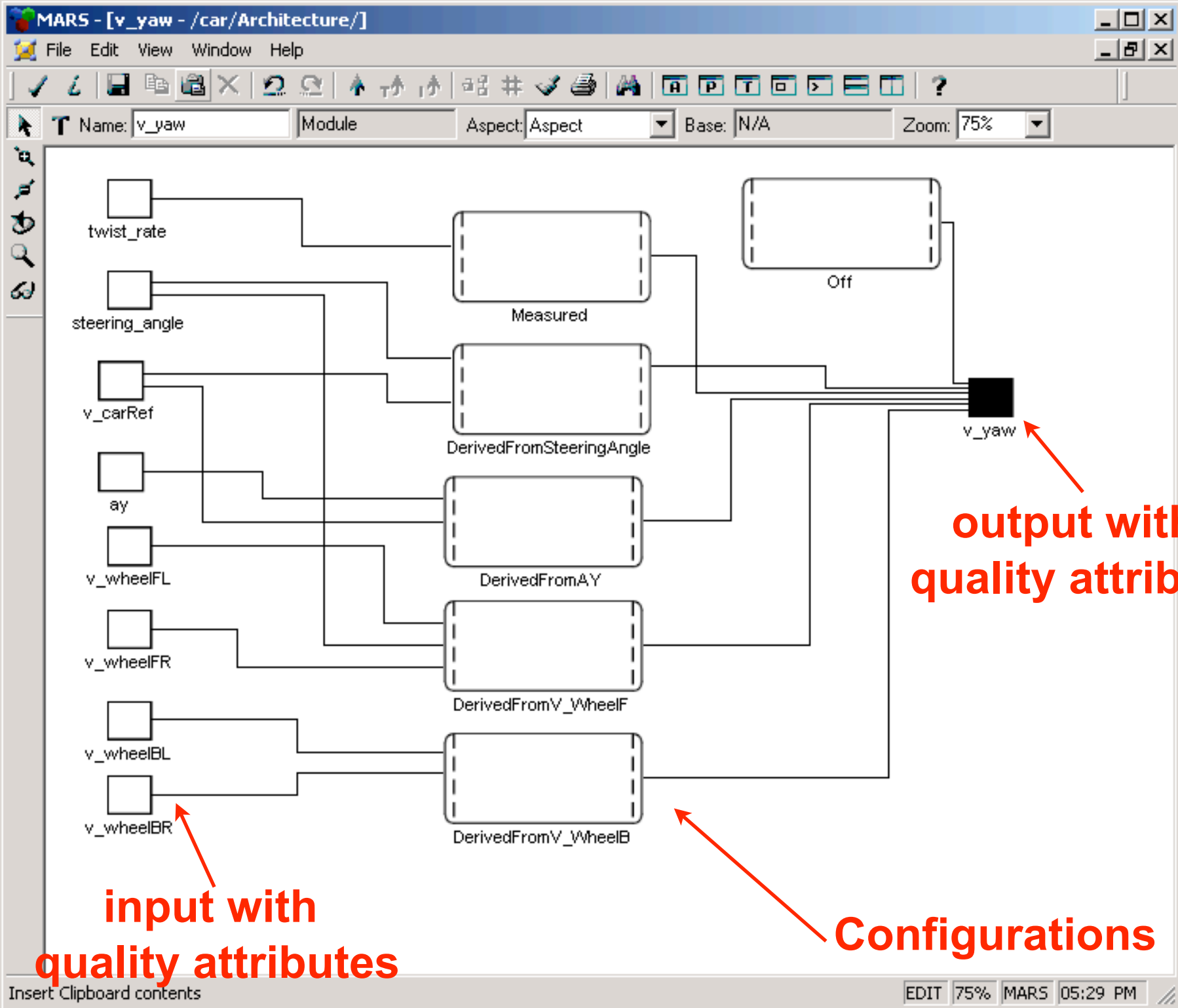






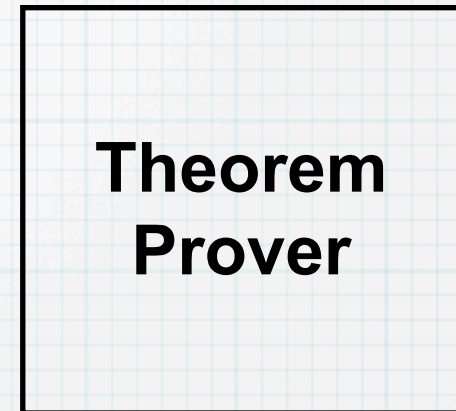
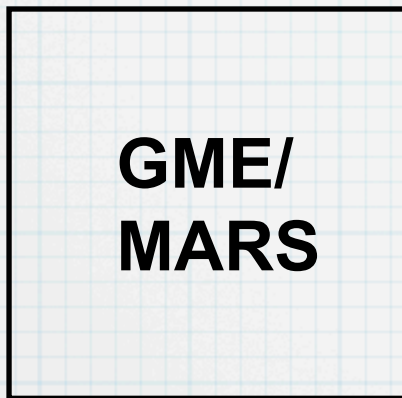
Configurations



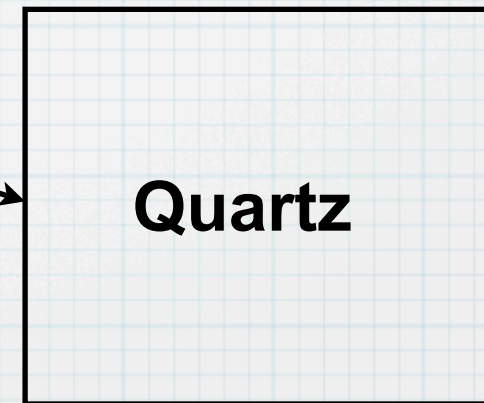


Verification Techniques

**Simulation of
Adaptation**



**Manual Verification
of Adaptation Behaviour**
[Schneider,Schuele,Trapp:2006]



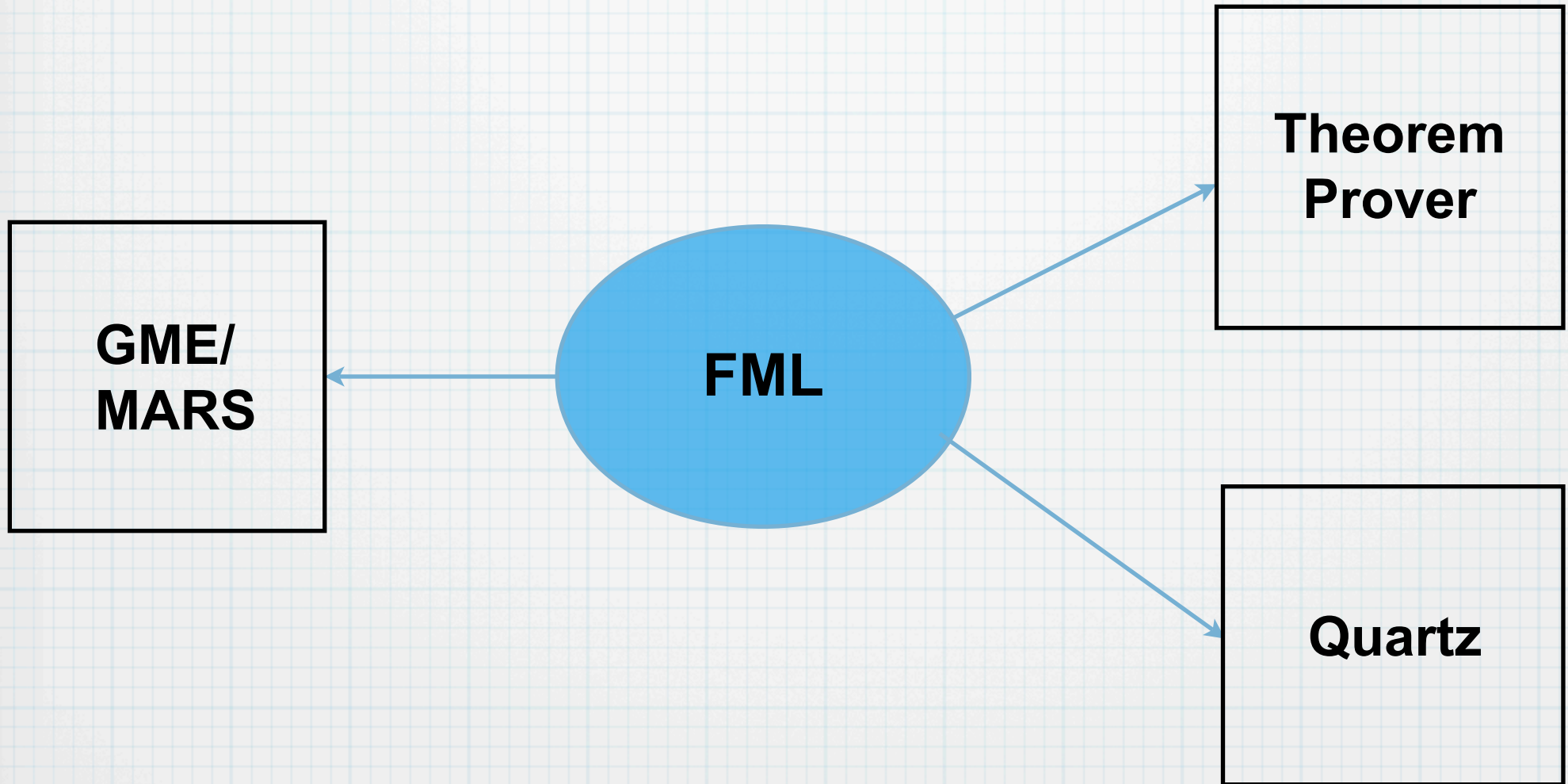
Our Workplan

**GME/
MARS**

**Theorem
Prover**

Quartz

Our Workplan



Our Workplan

**Independent
Modelling of Functionality
and Adaptation**

**GME/
MARS**

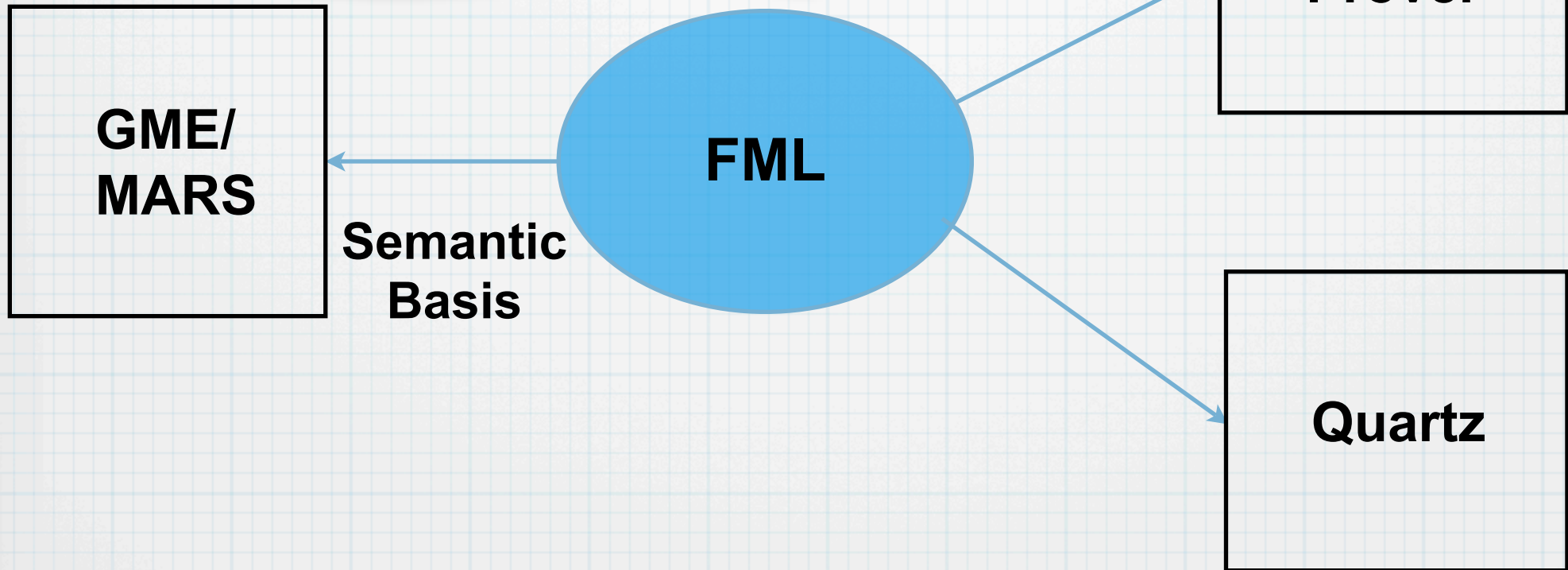
FML

**Theorem
Prover**

Quartz

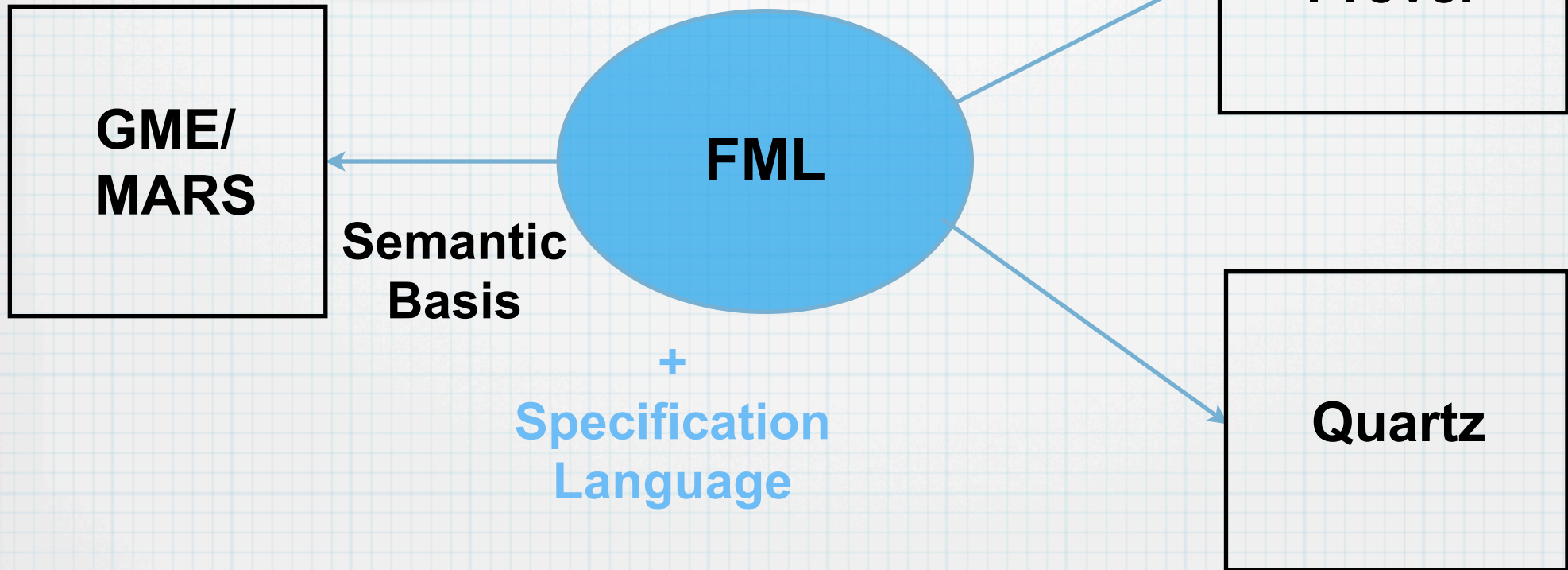
Our Workplan

**Independent
Modelling of Functionality
and Adaptation**



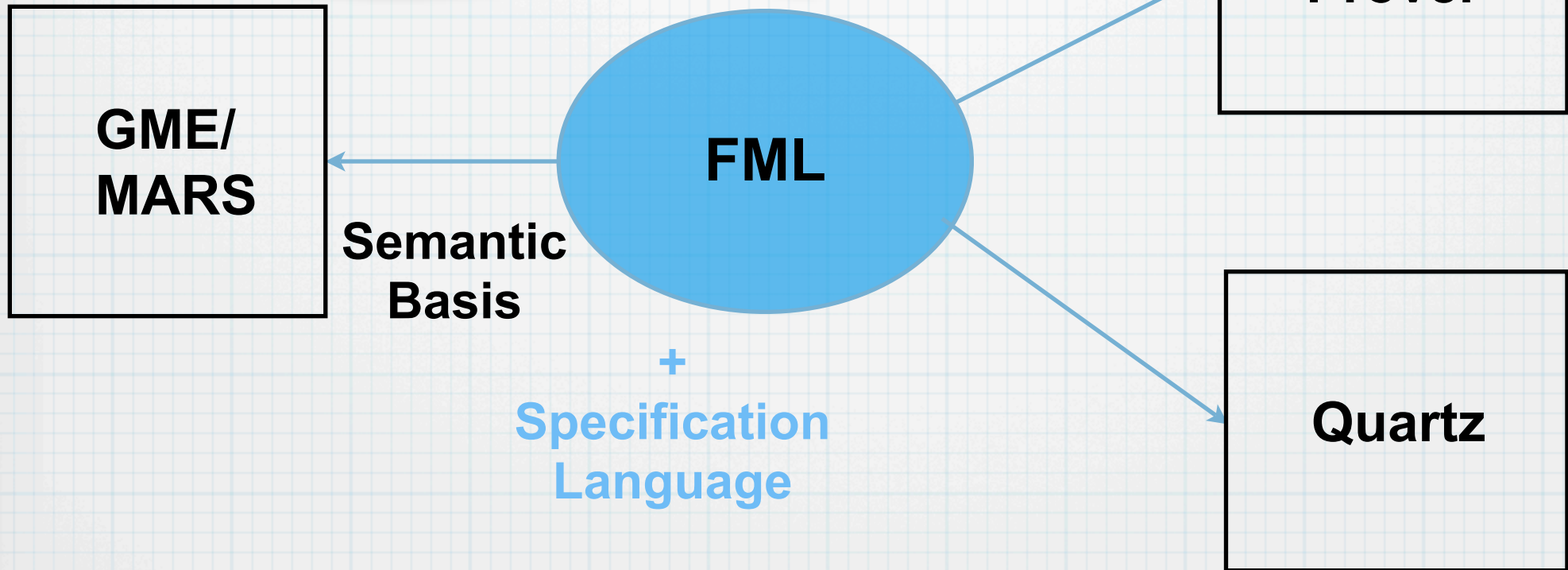
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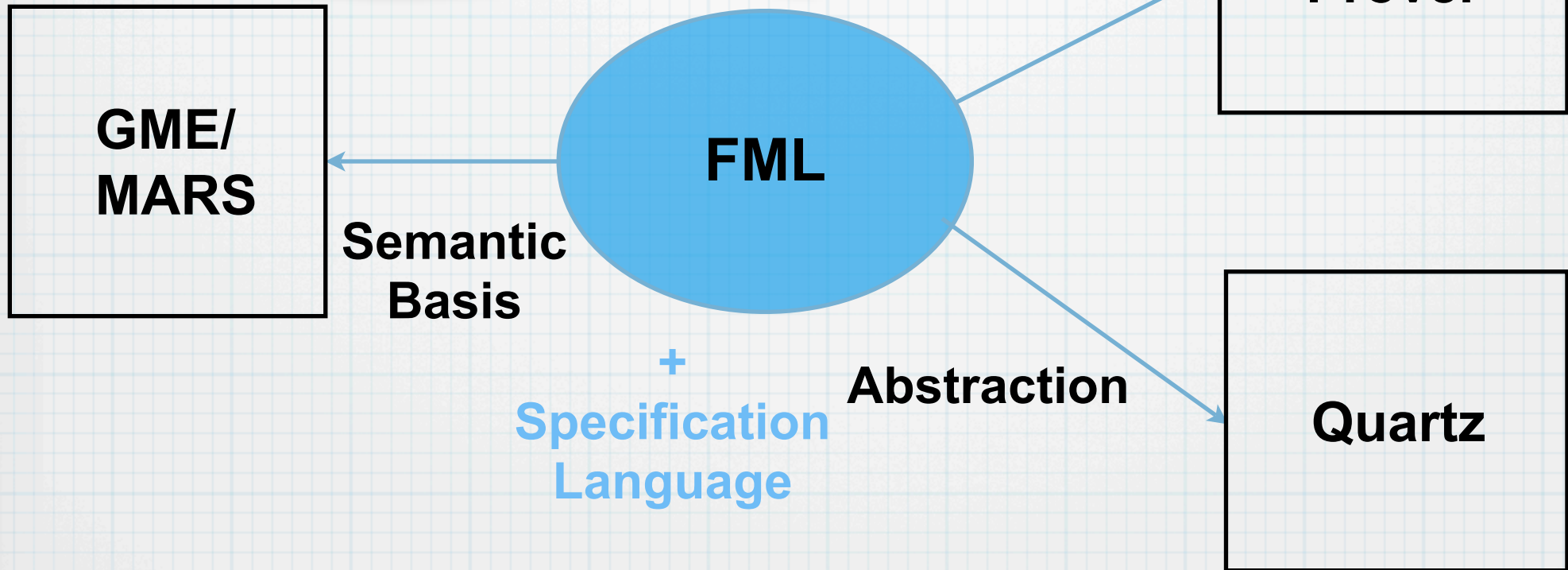
Our Workplan

**Independent
Modelling of Functionality
and Adaptation**



Our Workplan

Independent
Modelling of Functionality
and Adaptation



Outline

- * **FML Formal Modelling Language**
 - * **Syntax**
 - * **Semantics**
 - * **Case Study**
- * **Specification Language**
- * **Abstraction**
- * **Summary and Future Work**

FML

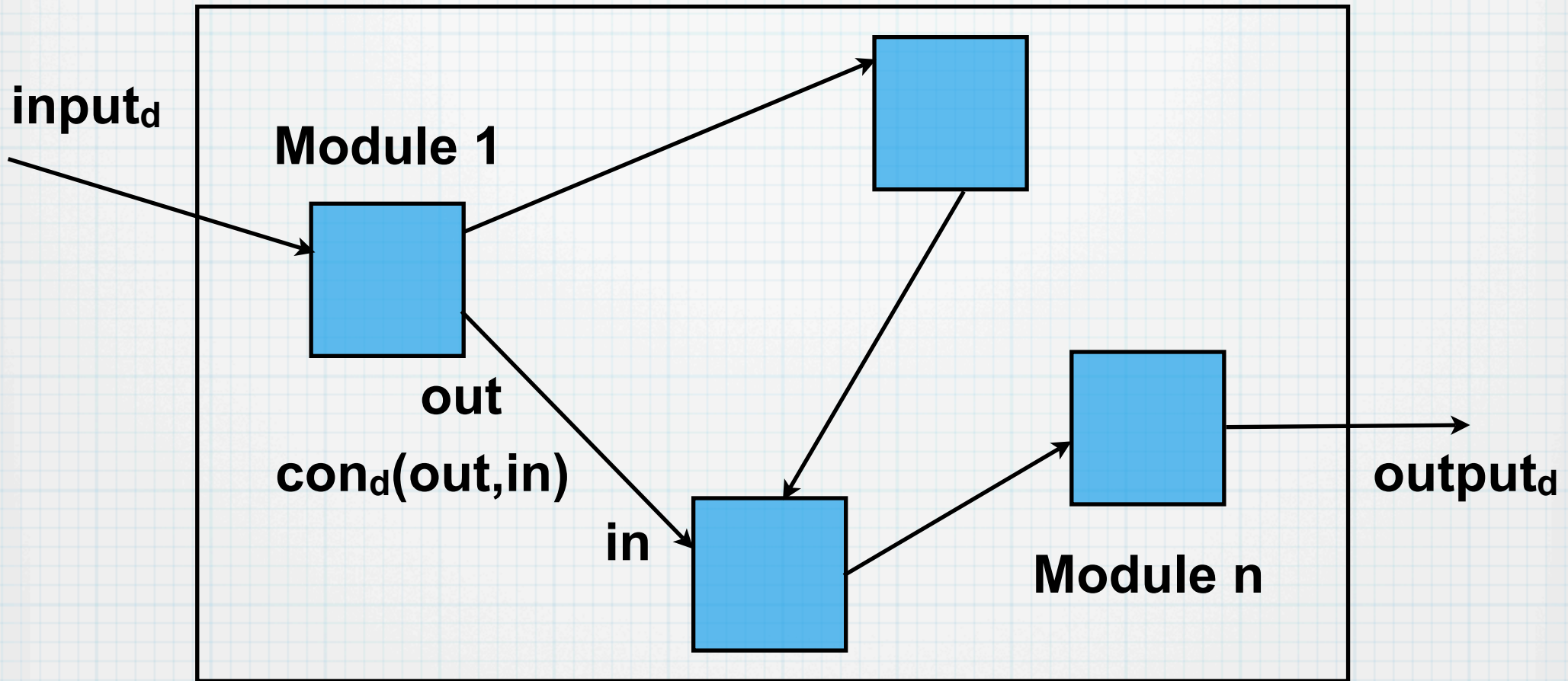
Design Goals:

- * **Explicit and Separated Modelling of Adaptation and Functionality**
- * **Modular and Hierarchical Specification**

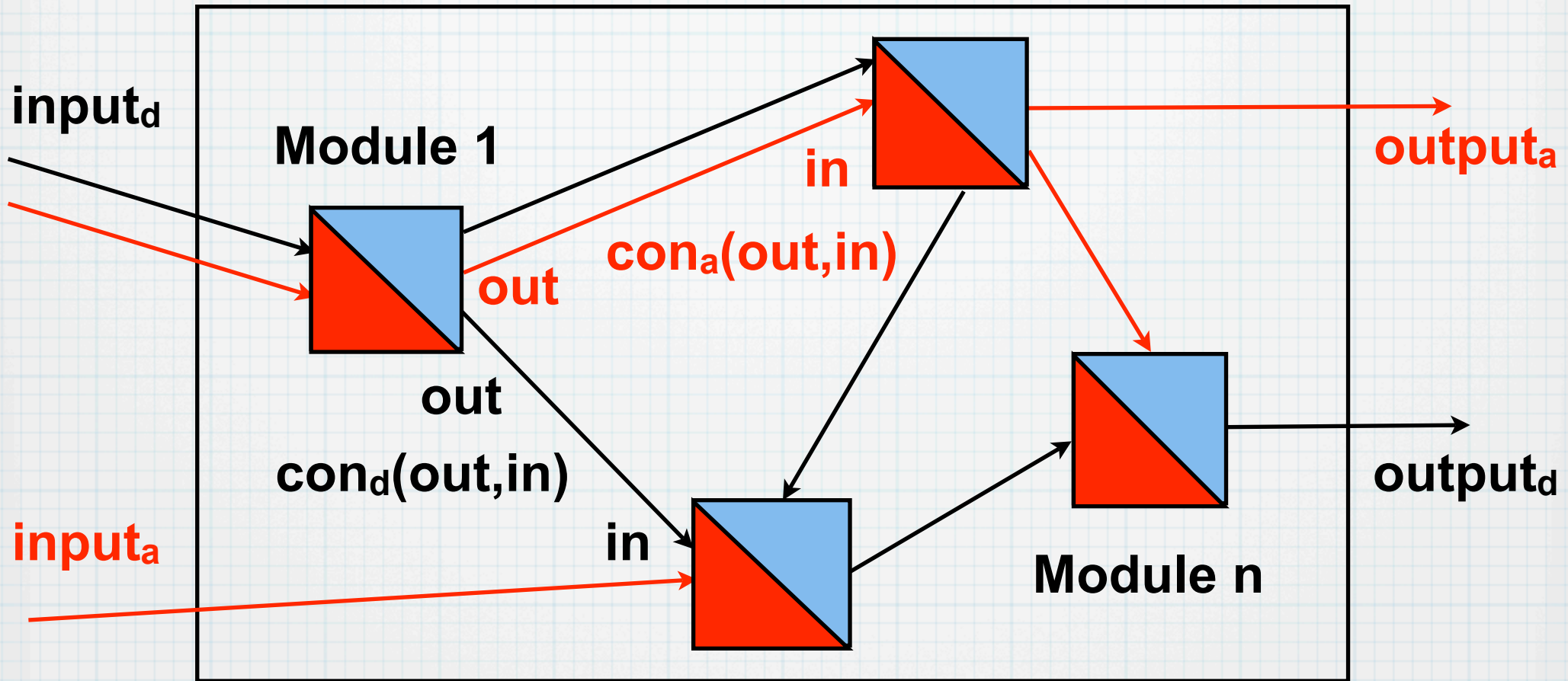
Main Concepts:

- * **Based on State-Transition Systems**
- * **Uses Adaptation Aspect**

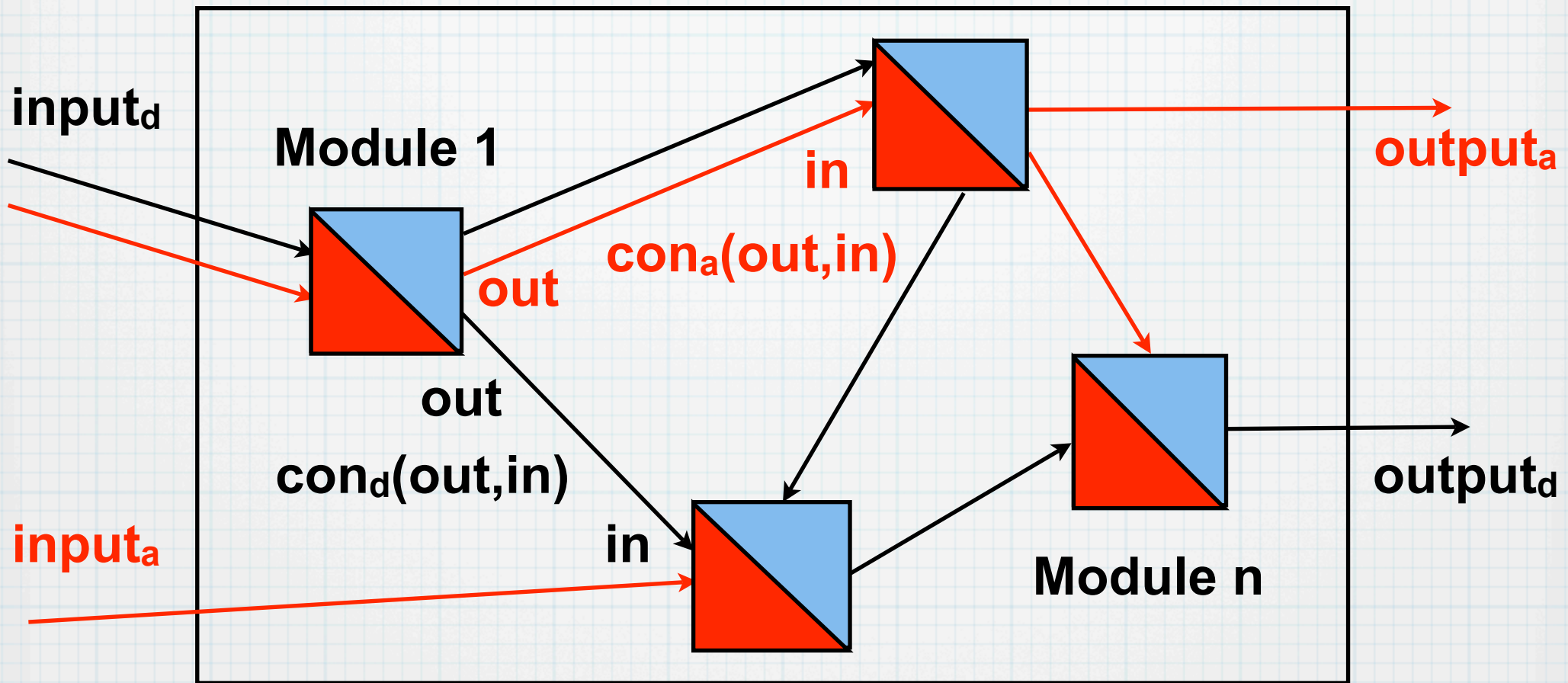
FML - System



FML - System

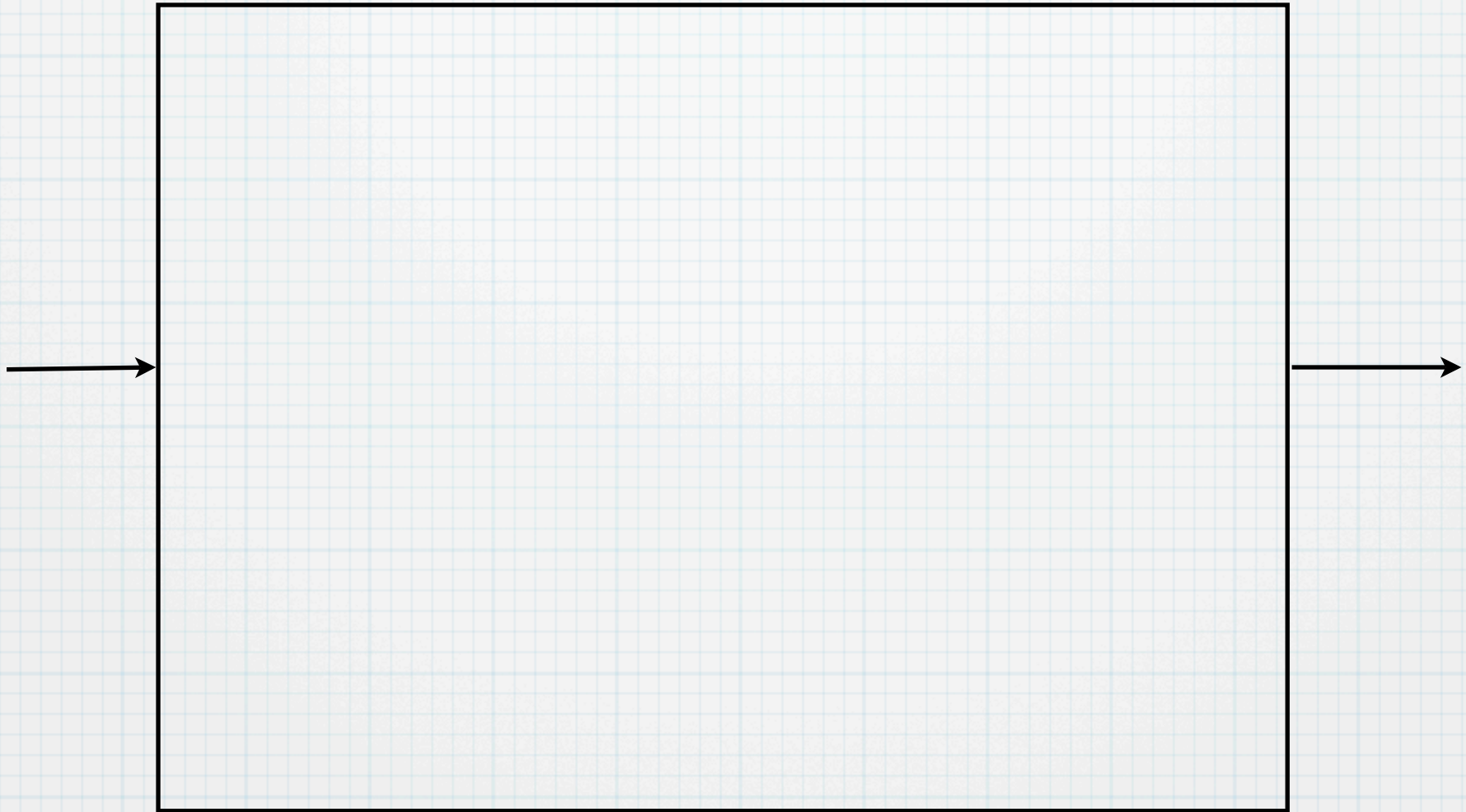


FML - System

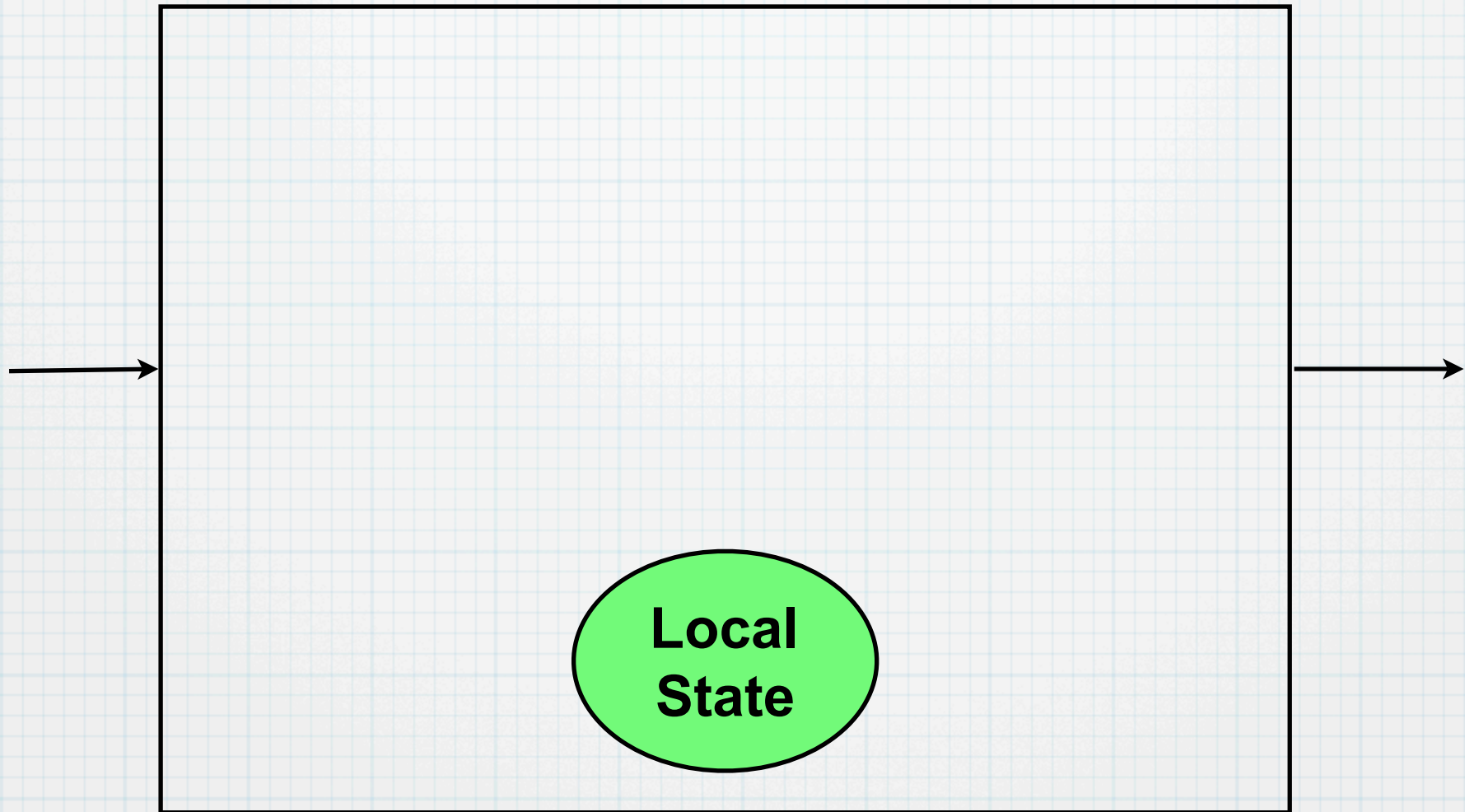


FML-System = $(M, con_d, con_a, input_d, input_a, output_d, output_a)$

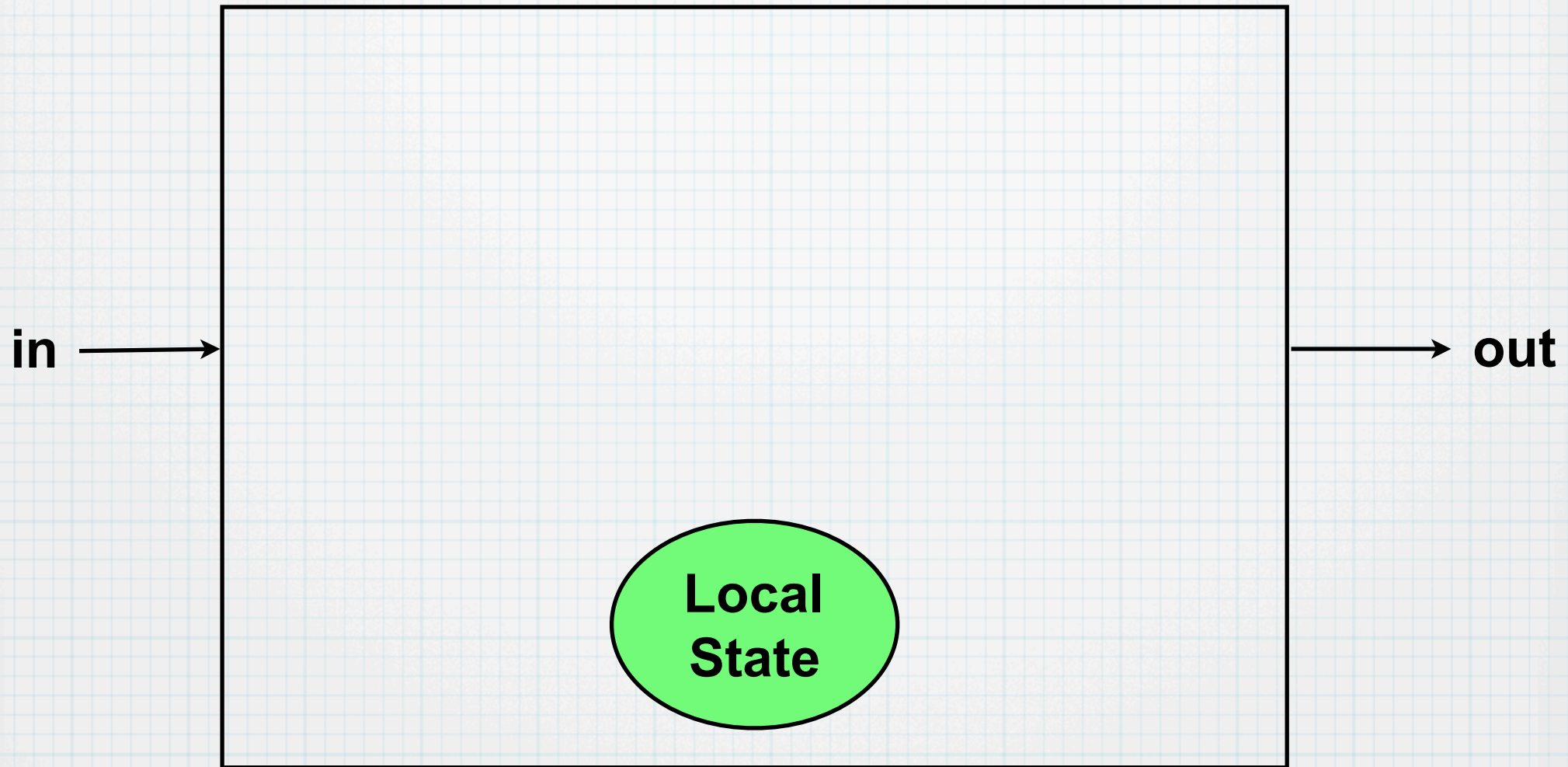
FML - Module



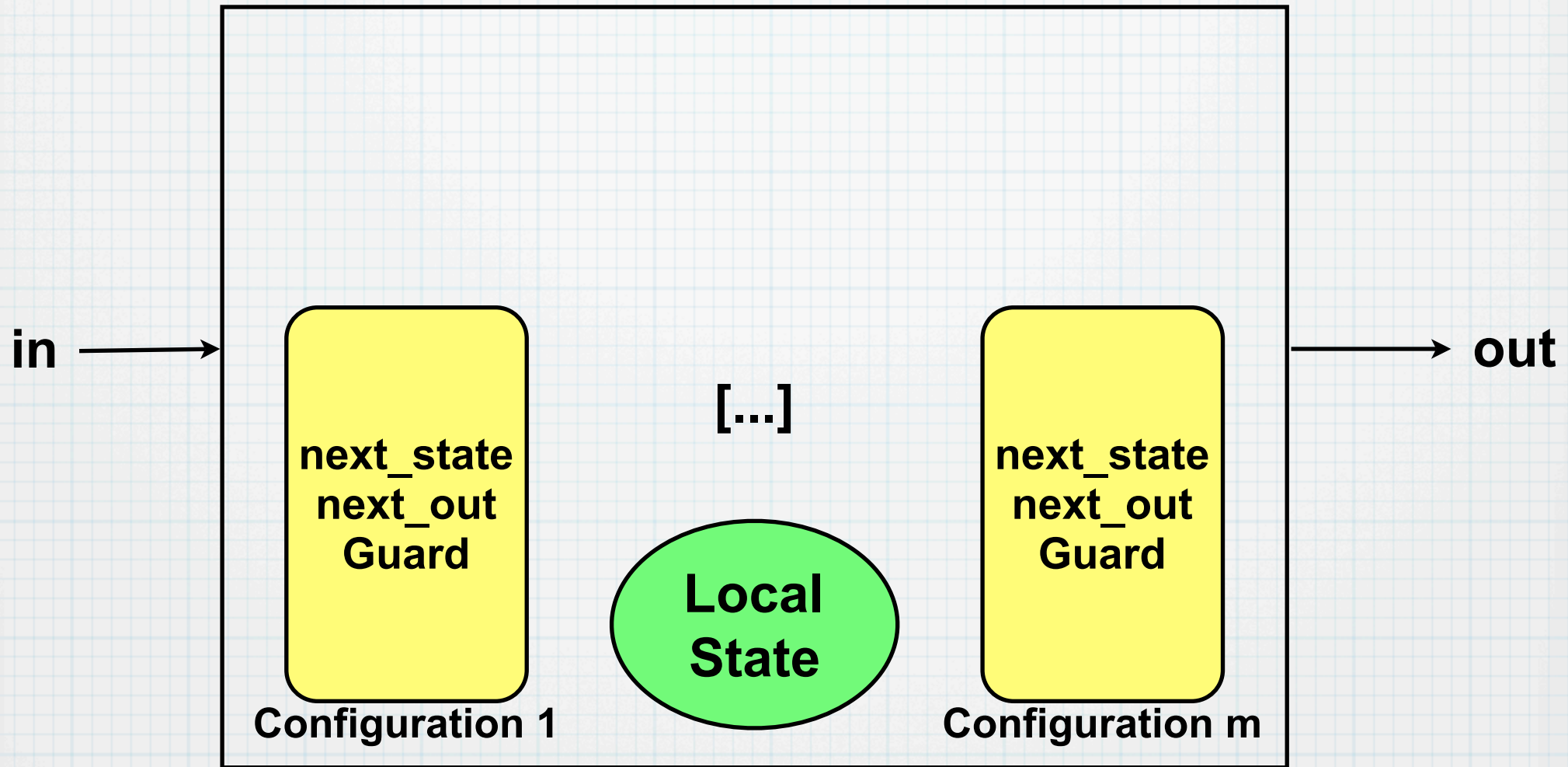
FML - Module



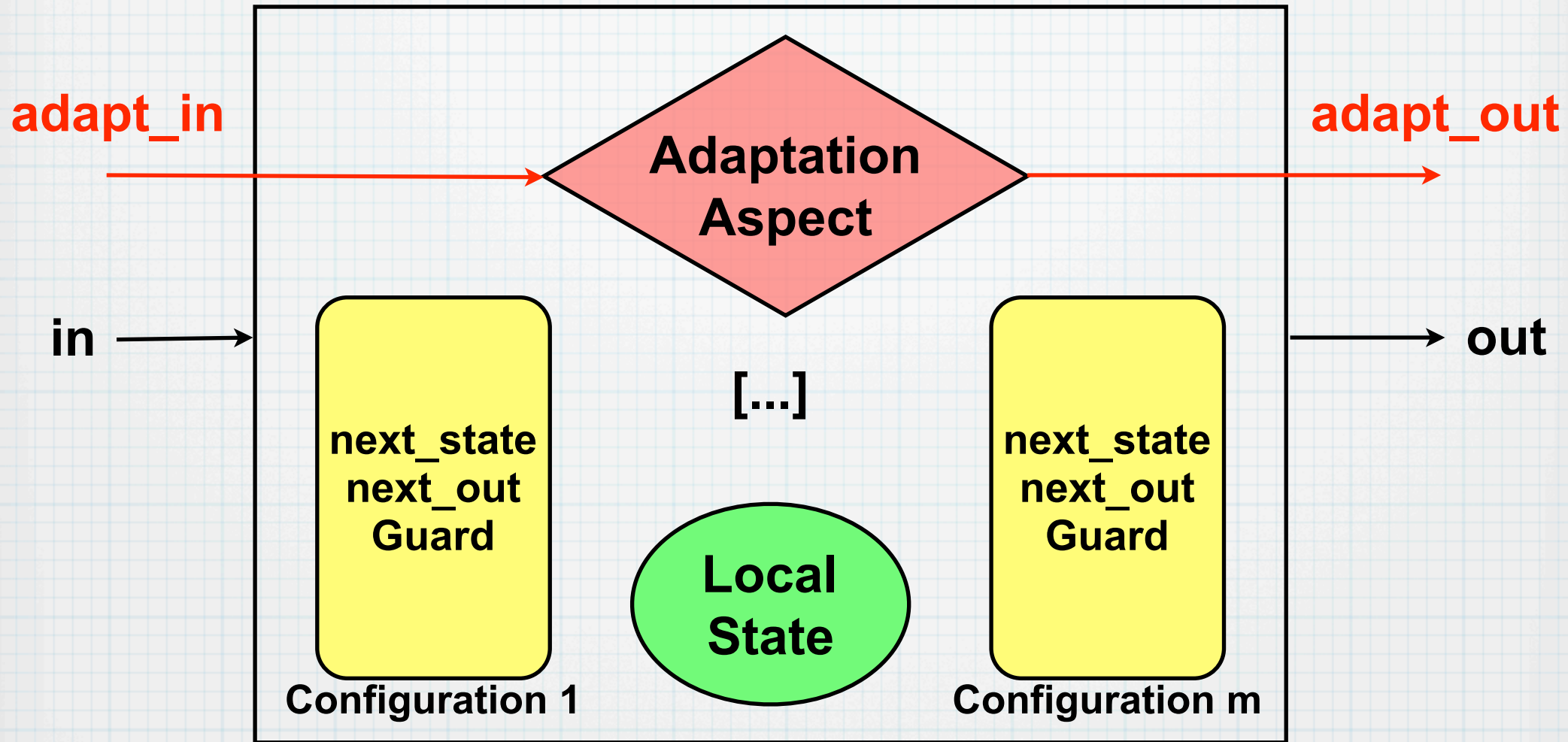
FML - Module



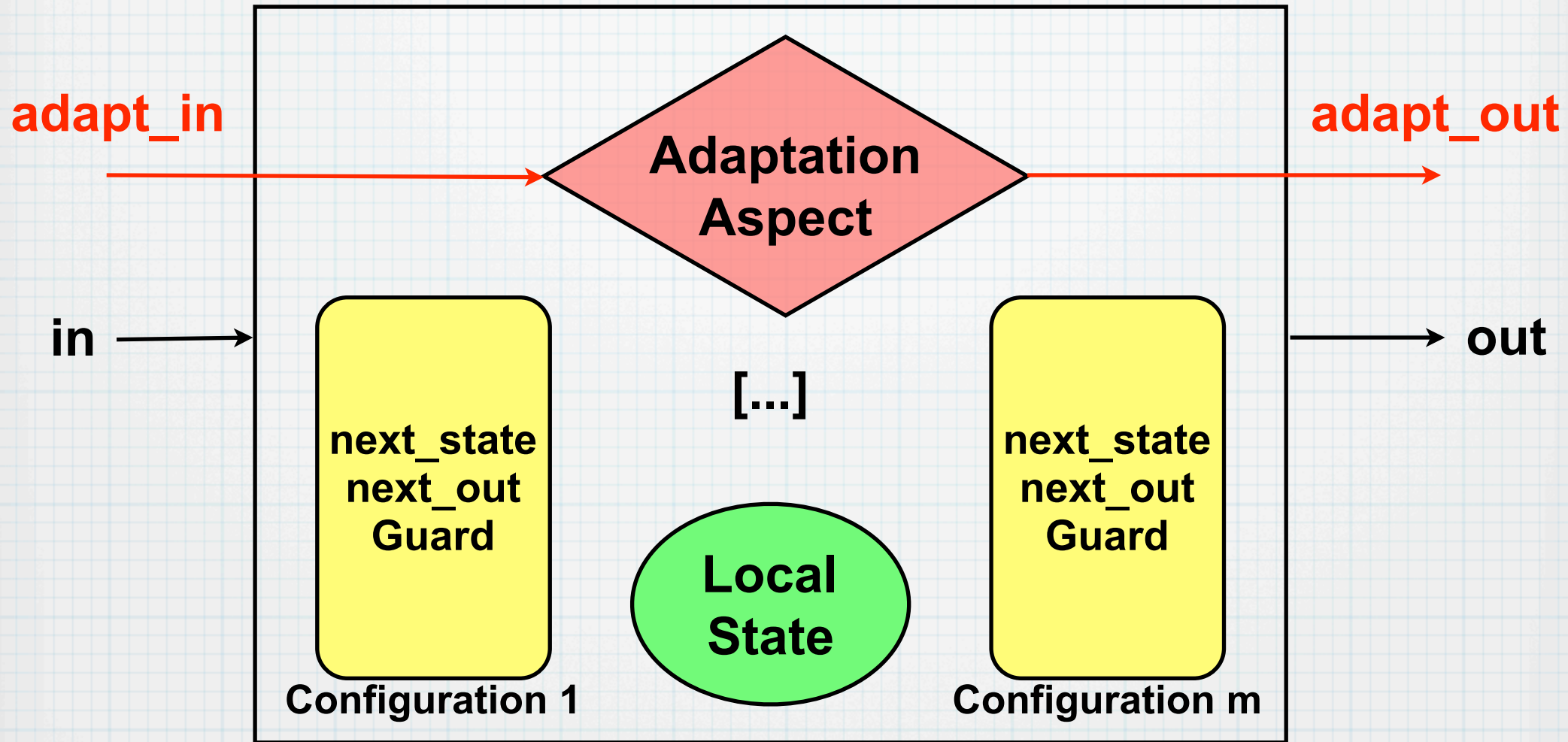
FML - Module



FML - Module

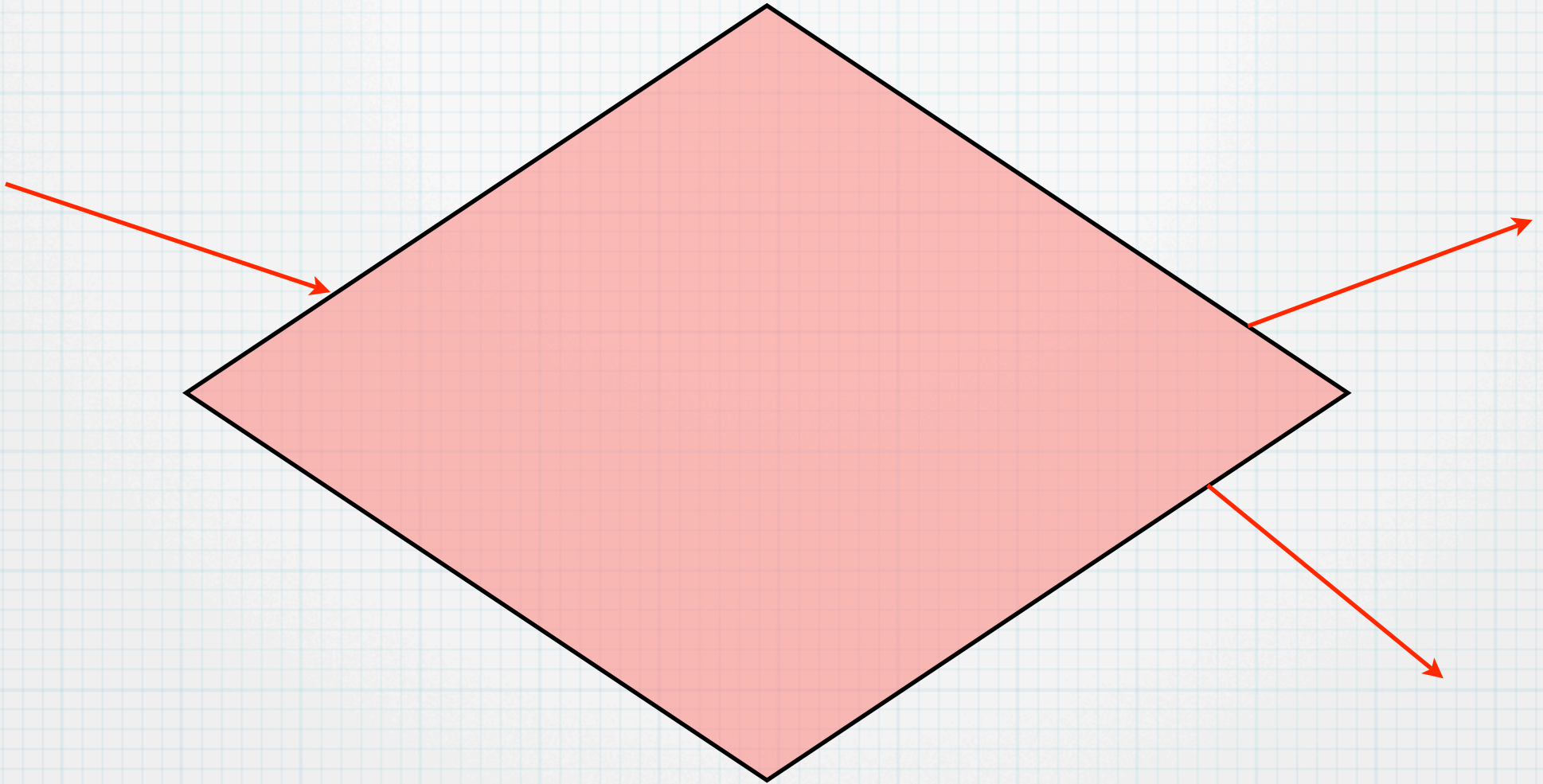


FML - Module

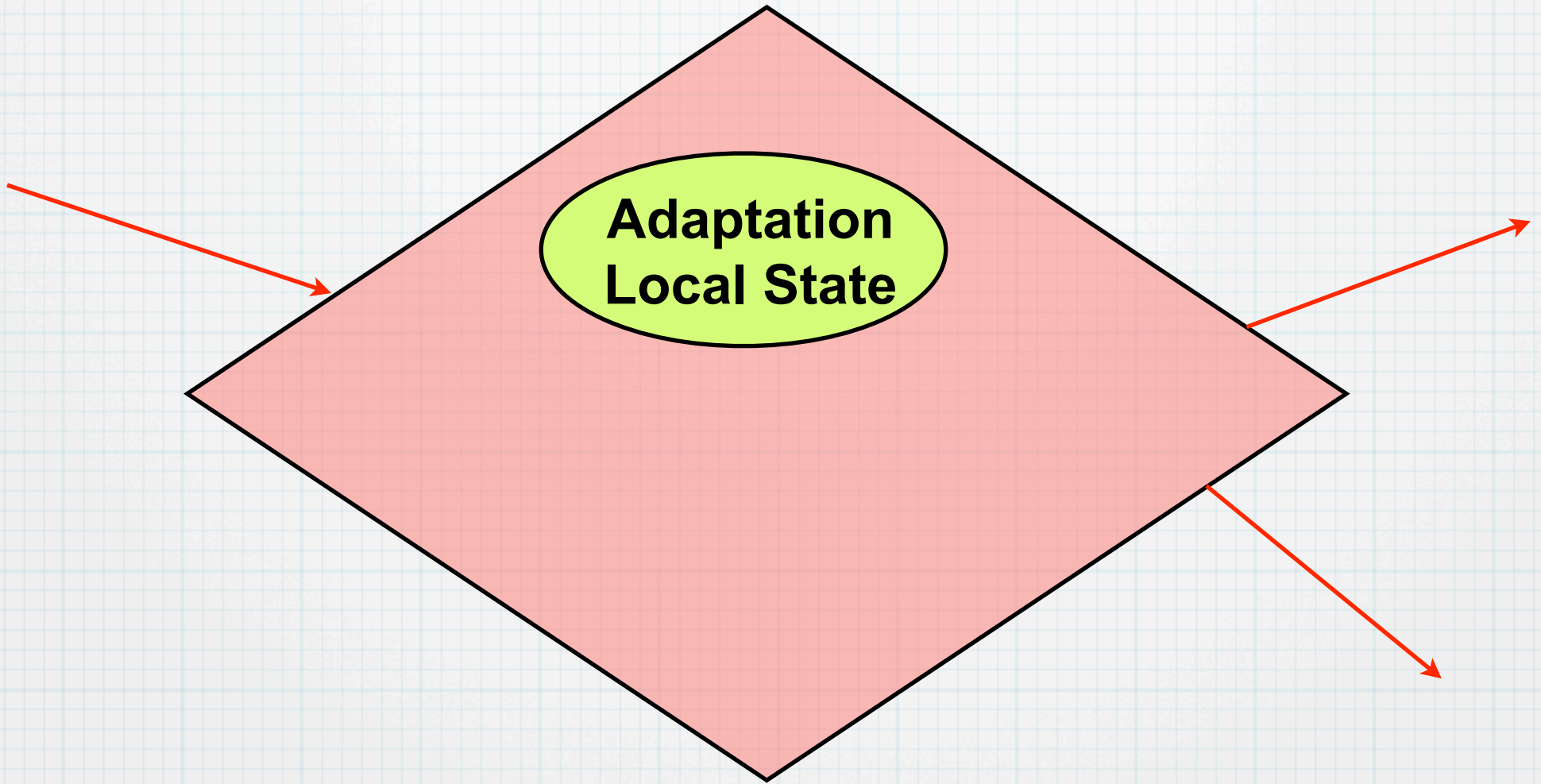


$$c_i = (in_i, out_i, loc_i, conf_i, \text{adaptation}_i)$$

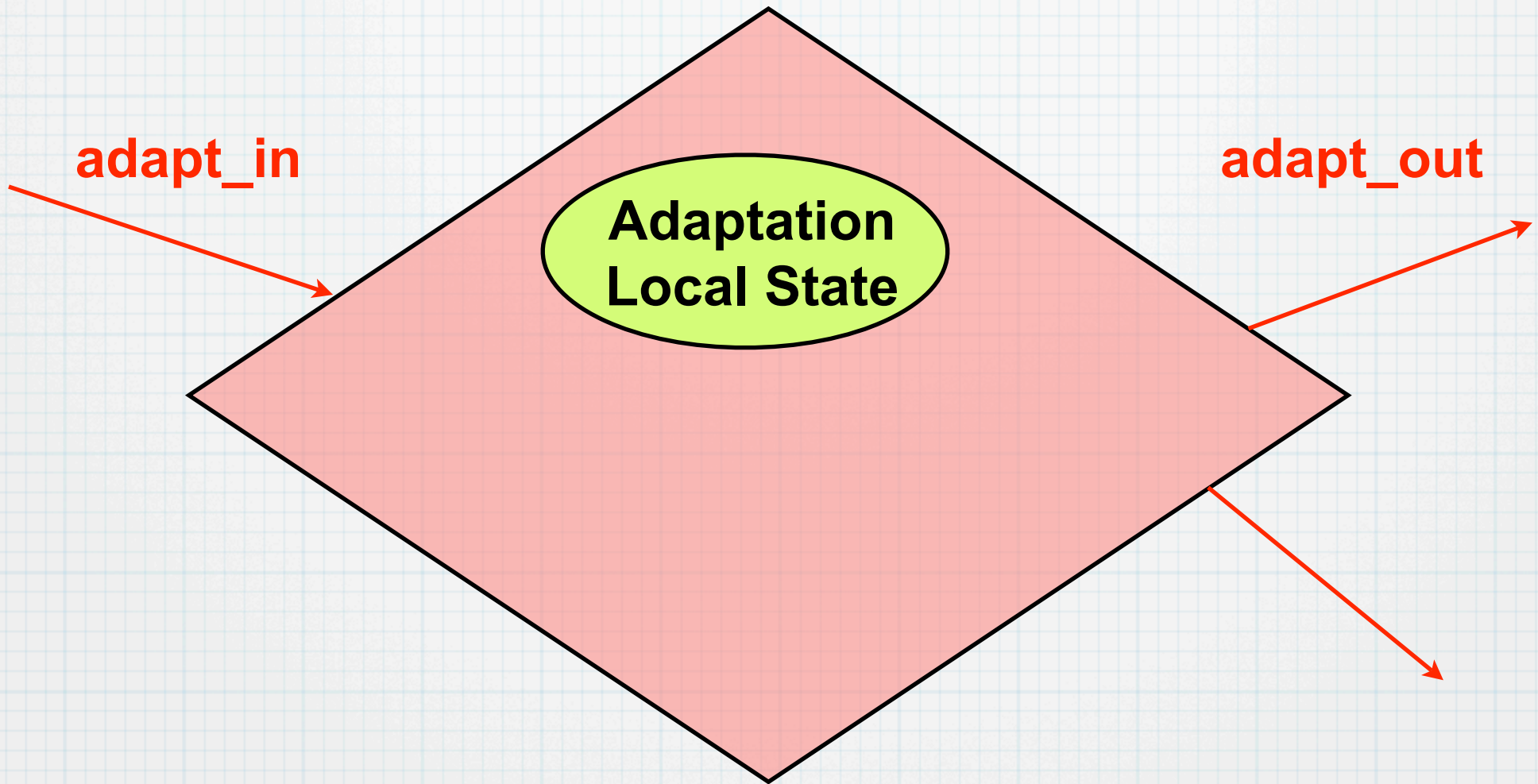
FML Adaptation Aspect



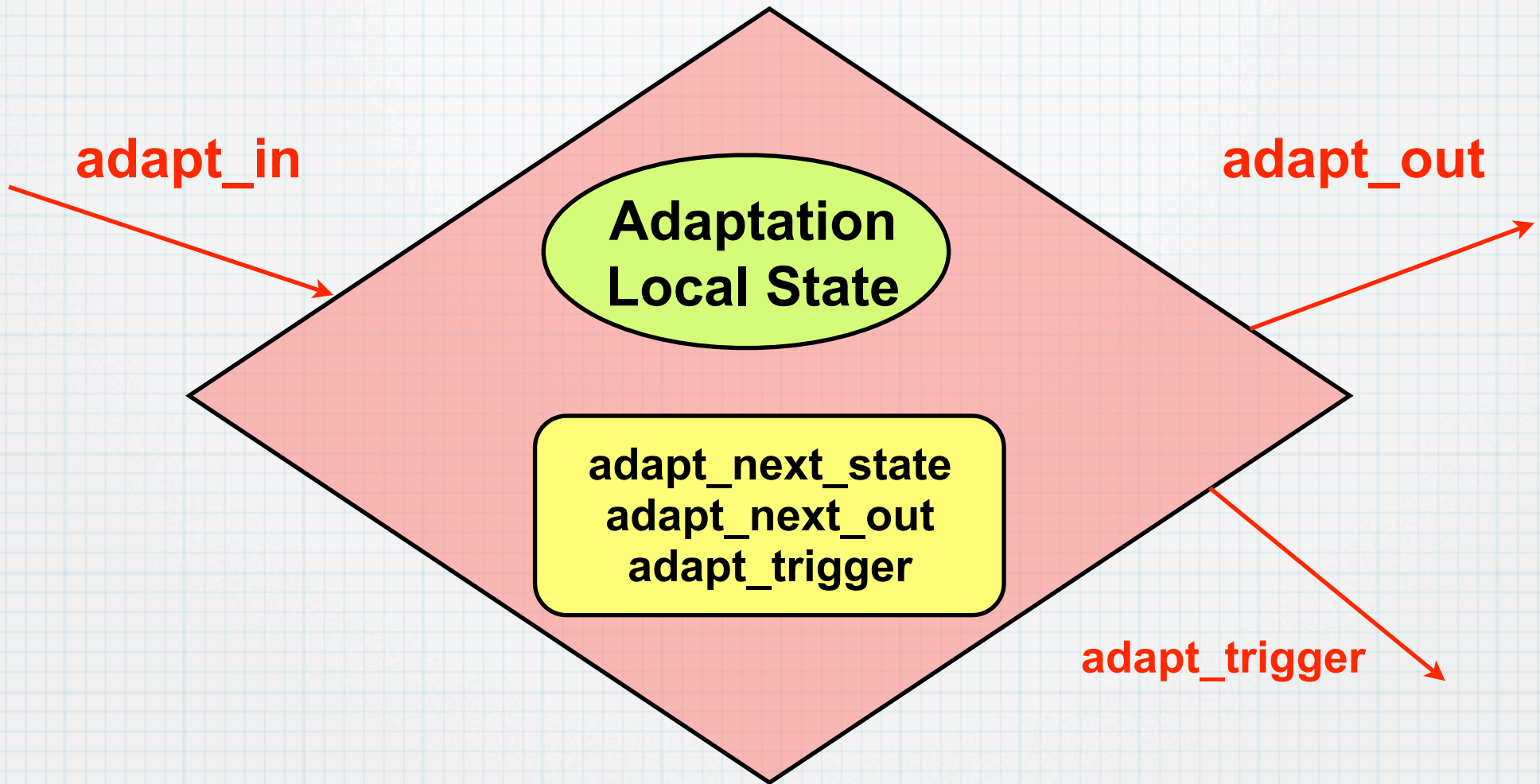
FML Adaptation Aspect



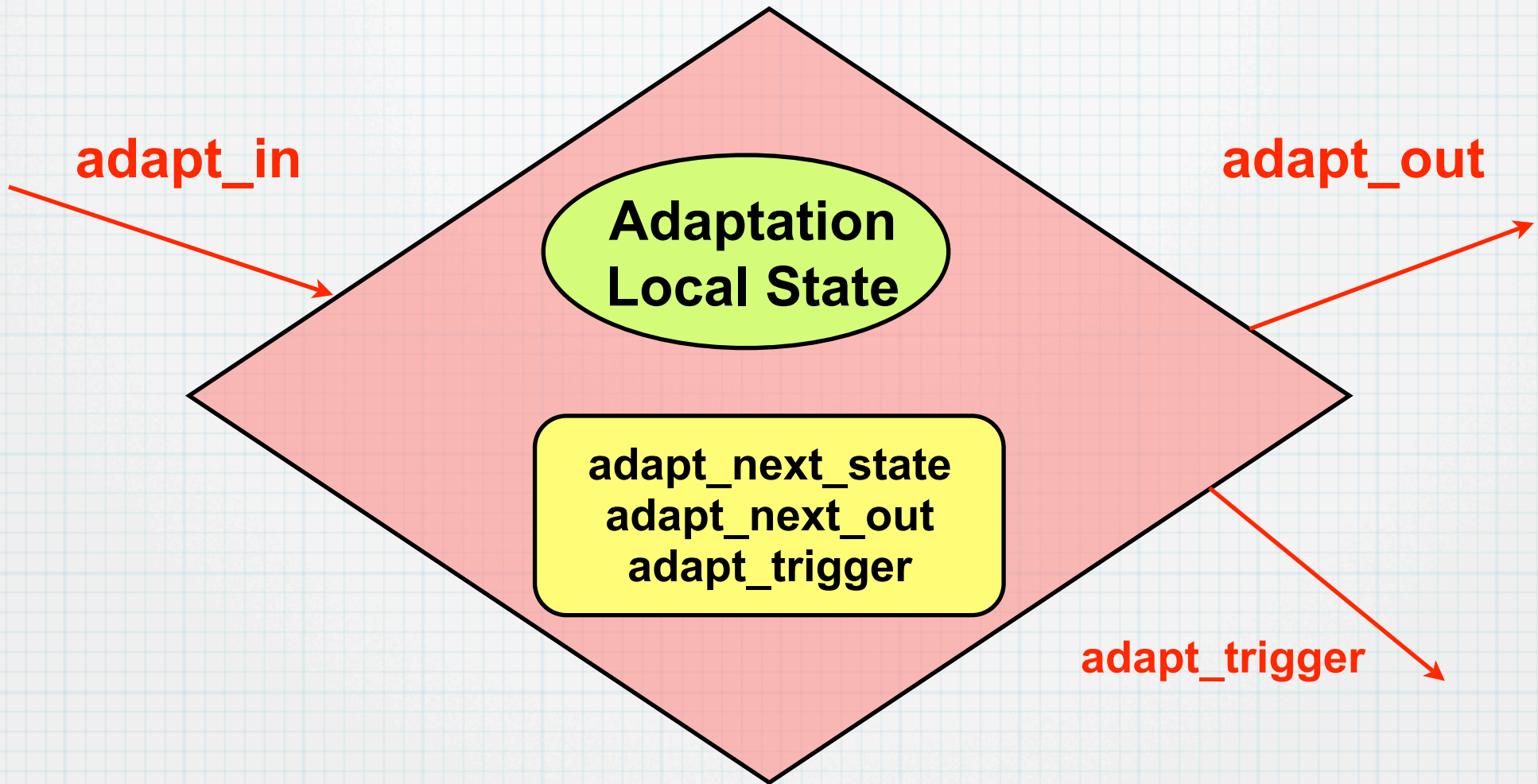
FML Adaptation Aspect



FML Adaptation Aspect



FML Adaptation Aspect



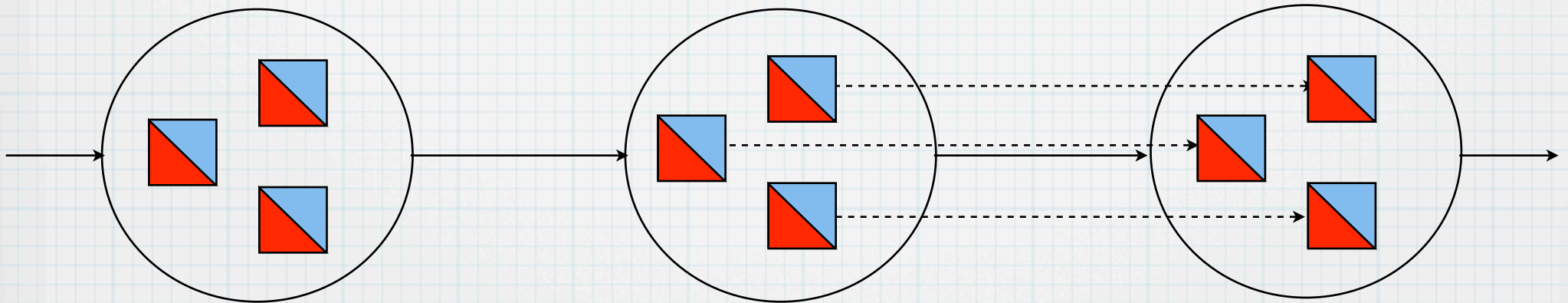
**adaptation = (adapt_in, adapt_out, adapt_loc,
adapt_next_state, adapt_next_out, adapt_trigger)**

Global FML Semantics

Global States: Set of local states of single modules

$$\sigma = (s_1, s_2, \dots, s_n)$$

System Traces: Sequences of global states



Global Semantics

$\sigma^i \rightarrow_{glob} \sigma^{i+1}$ is a **global transition** iff

- for all $s_j^i \in \sigma^i$ and for all $s_j^{i+1} \in \sigma_{i+1}$ $s_j^i \rightarrow_{loc} s_j^{i+1}$

- for all k with $con_d(out_k, in_j)$:

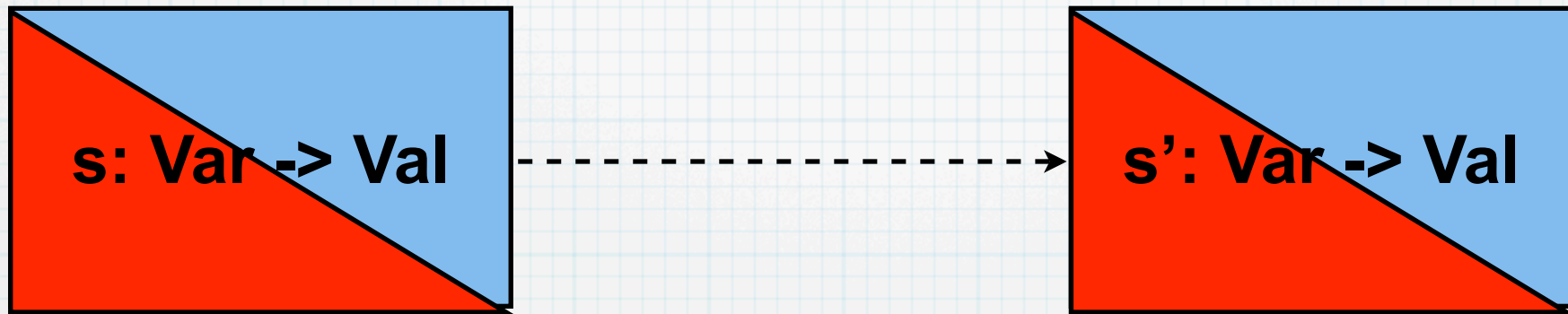
$$s_j^{i+1} |_{in_j \cap out_k} := s_k^{i+1} |_{in_j \cap out_k}$$

- for all k with $con_a(adapt_out_k, adapt_in_j)$:

$$s_j^{i+1} |_{adapt_in_j \cap adapt_out_k} := s_k^{i+1} |_{adapt_in_j \cap adapt_out_k}$$

FML Local Semantics

Local State: Evaluation of in, out and local variables and of **adapt_loc**, **adapt_in** and **adapt_out** variables



Local Transition:

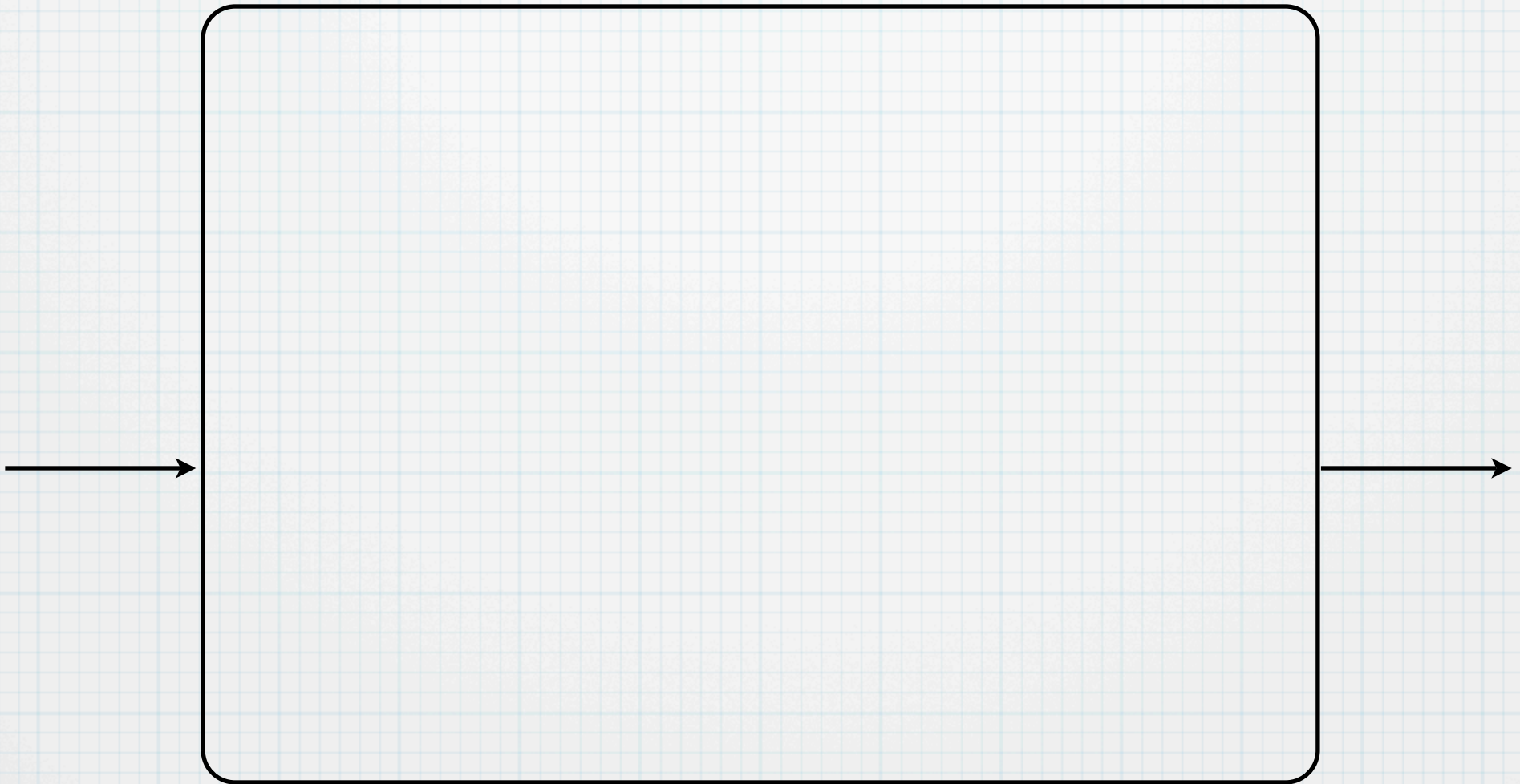
1. Adaptation Aspect determines applicable configuration and computes adaptation parameters.
2. Next_state and next_out function of respective configuration compute next local functional state.

Local Semantics

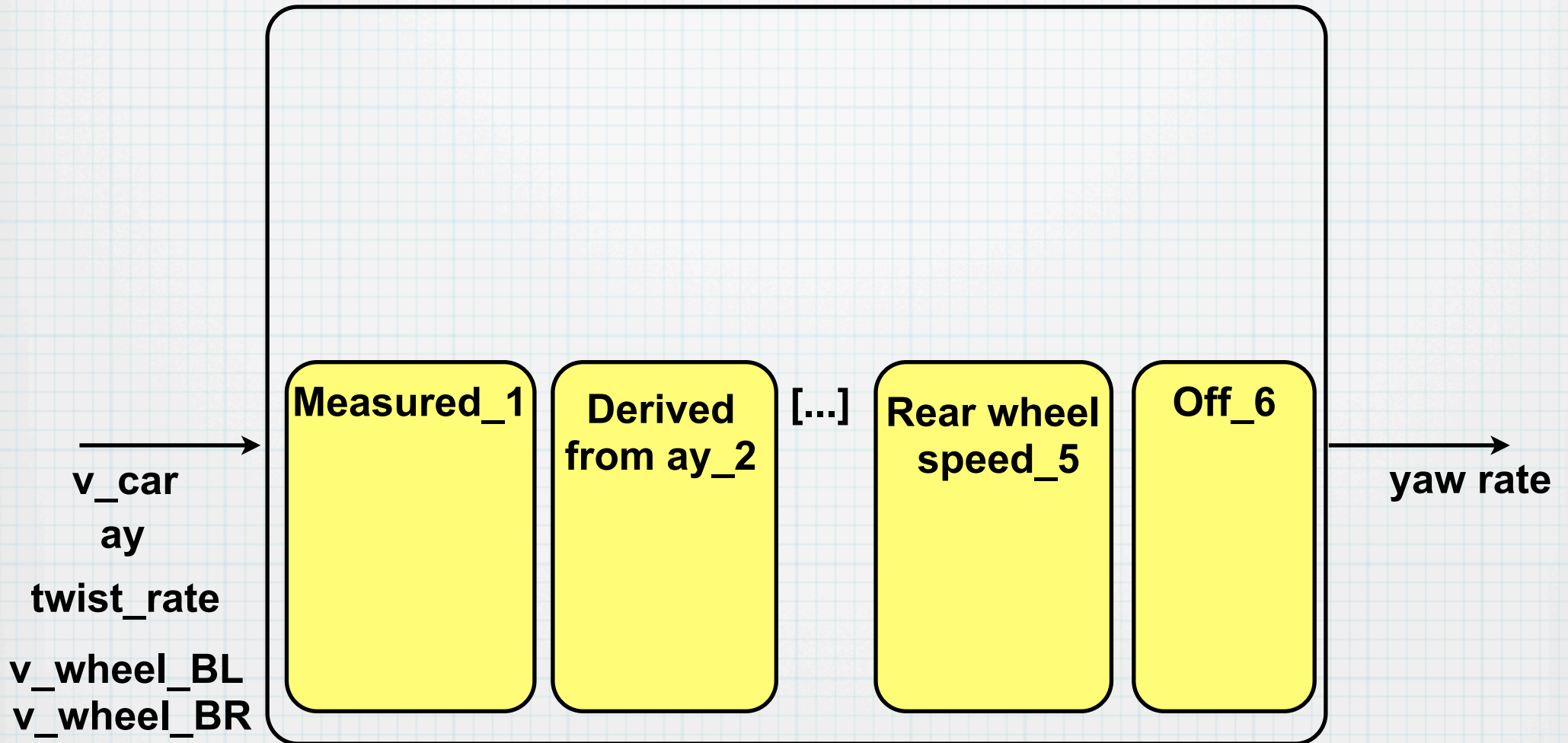
$s \rightarrow_{loc} s'$ is a **local transition** iff

- $adapt_trigger[Guards](s) = i$
 $s'|_{adapt_loc} = adapt_next_state(s)$
 $s'|_{adapt_outs} = adapt_next_out(s)$
- $s'|_{loc} = next_state_i(s)$
 $s'|_{outs} = next_out_i(s)$
- $adapt_trigger[Guards](s) = i$ iff $s \models Guard_i$
and $\forall 0 < j < i$ $s \not\models Guard_j$

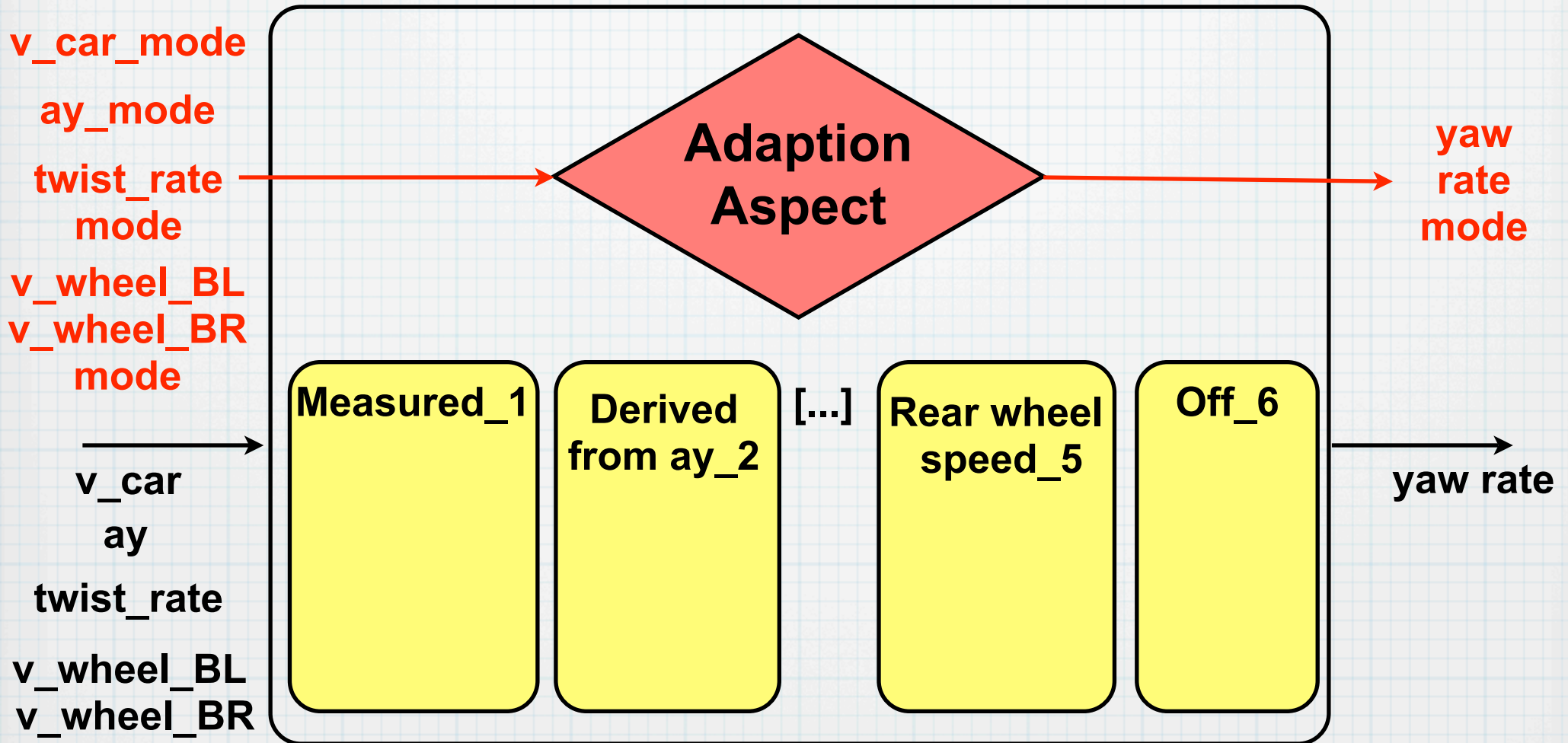
Case Study : CoCar



Case Study : CoCar



Case Study : CoCar



Towards Verification

Classification of System Properties:

* Functional

- In configuration “measured”, no division by zero occurs.

* Structural-Adaptive

- The default configuration is only entered if no other configuration is applicable.
- All configurations are reachable.

* Combined

- In all reachable configurations, no division by zero occurs.

Towards a Spec Language

On Trace Level:

Evolution of Global states

Temporal operators X, G, F, U, R (cf. LTL)

On System Level:

Modules, Connections, Input, Output

Predicates: $module(x), conn(out,in)$

On Module Level:

Local Variables, Input, Output, Configurations ...

Predicates: $(x = 5), (y > 7), use_conf(3)$...

Towards a Spec Language (2)

Example: All configurations are reachable.

Conf: set of configurations.

use_conf(x): configuration x is used.

$$\forall x \in Conf. F \text{ use_conf}(x)$$

Abstraction

Show: In all configurations, no division by zero occurs.

Measured_1

twist_rate = available

in: twist_rate

yaw_rate := twist_rate

Abstraction

Show: In all configurations, no division by zero occurs.

Measured_1

twist_rate = available

in: twist_rate

yaw_rate := twist_rate

Abstract concrete data domain
into finite abstract domain
{positive, zero, negative}
Analyse each configuration
separately.

Abstraction

Show: In all configurations, no division by zero occurs.

Measured_1

twist_rate = available

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yaw_rate := twist_rate

Abstract concrete data domain
into finite abstract domain
{**positive**, **zero**, **negative**}
Analyse each configuration
separately.

No division

Abstraction (2)

Show: In all configurations, no division by zero occurs.

Rear wheel speed_5

$v_{\text{wheel_BR}}$ = calculated and
 $v_{\text{wheel_BL}}$ = calculated

in: $v_{\text{wheel_BR}}$

in: $v_{\text{wheel_BL}}$

$\text{yaw_rate} :=$
 $(v_{\text{wheel_BR}} - v_{\text{wheel_BL}}) / d$

where $d = \text{track}$

Abstraction (2)

Show: In all configurations, no division by zero occurs.

Rear wheel speed_5

$v_{\text{wheel_BR}}$ = calculated and
 $v_{\text{wheel_BL}}$ = calculated

in: $v_{\text{wheel_BR}}$

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$\text{yaw_rate} :=$
 $(v_{\text{wheel_BR}} - v_{\text{wheel_BL}}) / d$

where $d = \text{track}$ **positive**

Abstraction (2)

Show: In all configurations, no division by zero occurs.

Rear wheel speed_5

v_wheel_BR = calculated and
 v_wheel_BL = calculated

in: v_wheel_BR

in: v_wheel_BL

$yaw_rate :=$
 $(v_wheel_BR - v_wheel_BL) / d$

where $d = track$ **positive**

{**positive**, **zero**, **negative**}

Abstraction (2)

Show: In all configurations, no division by zero occurs.

Rear wheel speed_5

v_wheel_BR = calculated and
 v_wheel_BL = calculated

in: v_wheel_BR
in: v_wheel_BL

yaw_rate :=
 $(v_wheel_BR - v_wheel_BL) / d$

where $d = track$ **positive**

No division by zero, since
 d is a positive constant.

{**positive**, **zero**, **negative**}

Abstraction (3)

Show: In all configurations, no division by zero occurs.

Derived from ay_2

**($v_car = ax$ or
 $v_car = v_wheel$)
and $ay = measured$**

in: v_car

in: ay

$yaw_rate := ay / v_car$

Abstraction (3)

Show: In all configurations, no division by zero occurs.

Derived from ay_2

($v_car = ax$ or
 $v_car = v_wheel$)
and $ay = \text{measured}$

in: v_car **positive**
in: ay

$yaw_rate := ay / v_car$

Abstraction (3)

Show: In all configurations, no division by zero occurs.

Derived from ay_2

($v_car = ax$ or
 $v_car = v_wheel$)
and $ay = \text{measured}$

in: v_car **positive**
in: ay **positive**

$yaw_rate := ay / v_car$

Abstraction (3)

Show: In all configurations, no division by zero occurs.

Derived from ay_2

($v_car = ax$ or
 $v_car = v_wheel$)
and $ay = \text{measured}$

in: v_car **positive**
in: ay **positive**

$yaw_rate := ay / v_car$

positive

Abstraction (3)

Show: In all configurations, no division by zero occurs.

Derived from ay_2

($v_car = ax$ or
 $v_car = v_wheel$)
and $ay = \text{measured}$

in: v_car **negative**
in: ay **positive**

$yaw_rate := ay / v_car$

negative

Abstraction (3)

Show: In all configurations, no division by zero occurs.

Derived from ay_2

($v_car = ax$ or
 $v_car = v_wheel$)
and $ay = \text{measured}$

in: v_car **negative**
in: ay **negative**

$yaw_rate := ay / v_car$

positive

Abstraction (3)

Show: In all configurations, no division by zero occurs.

Derived from ay_2

($v_car = ax$ or
 $v_car = v_wheel$)
and $ay = \text{measured}$

in: v_car **zero**
in: ay

$yaw_rate := ay / v_car$

Abstraction (3)

Show: In all configurations, no division by zero occurs.

Derived from ay_2

($v_car = ax$ or
 $v_car = v_wheel$)
and $ay = measured$

in: v_car **zero**
in: ay

$yaw_rate := ay / v_car$



Division by zero !

Abstraction (3)

Show: In all configurations, no division by zero occurs.

Derived from ay_2

($v_car = ax$ or
 $v_car = v_wheel$)
and $ay = measured$

in: v_car **zero**
in: ay

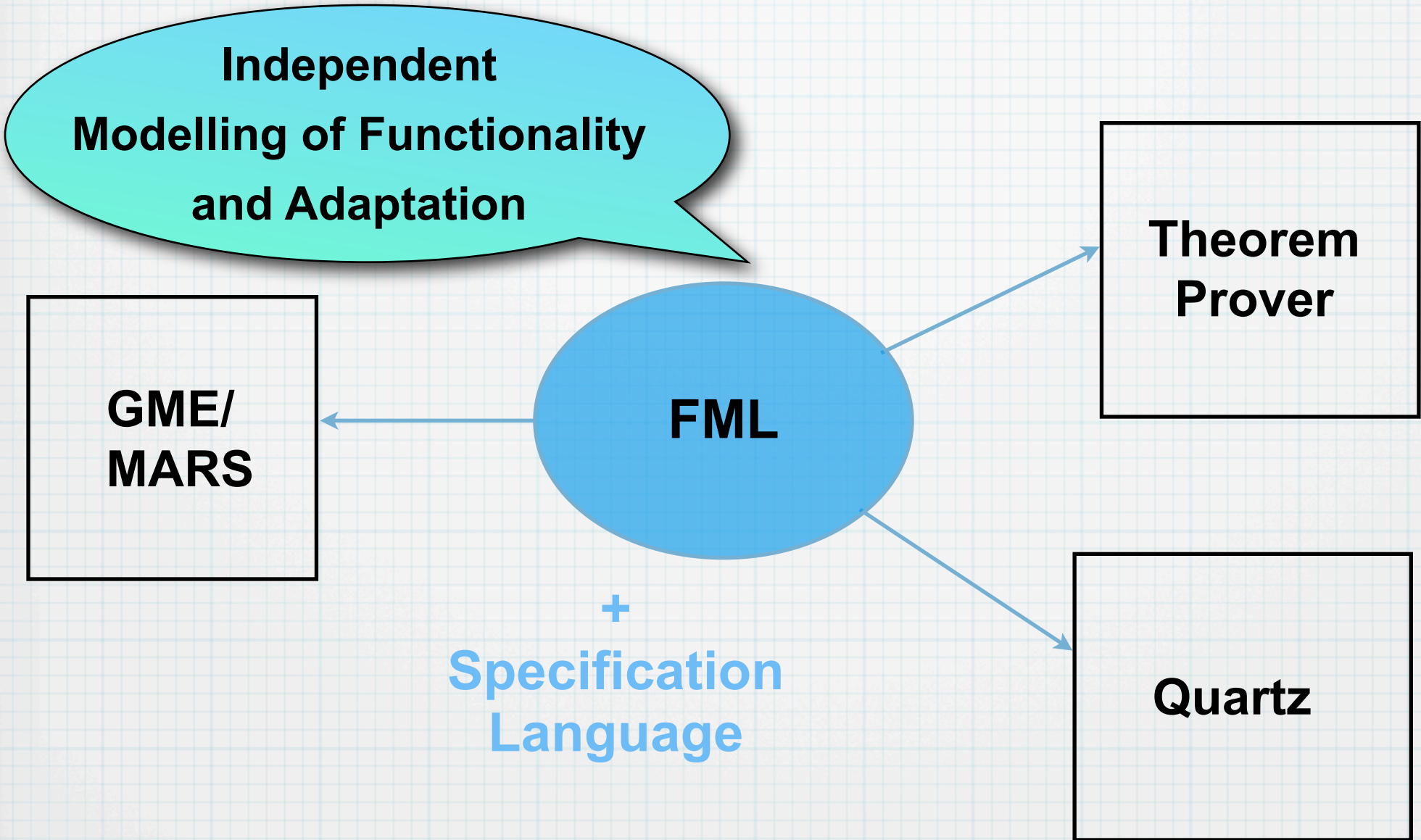
$yaw_rate := ay / v_car$

Add ($v_car \neq 0$) to Guard.



Division by zero !

Summary



Future Work

- * **Embedding of GME/MARS into FML**
- * **Further Development of Specification Language**
- * **Abstraction Techniques for using QUARTZ**

- * **Integration of Theorem Prover**
- * **Evaluation of Benchmarks**